

Planetary magnetic fields and magnetospheres

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- Planetary Magnetic Fields
- Magnetospheric structure
- Magnetospheric dynamics
- Electromagnetic emissions
- Exoplanets

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- $\nabla \times \mathbf{B} = 0$ out of the sources (above the planetary surface)

$$\Rightarrow \mathbf{B} = -\nabla\psi \quad (\psi = \text{scalar potential})$$

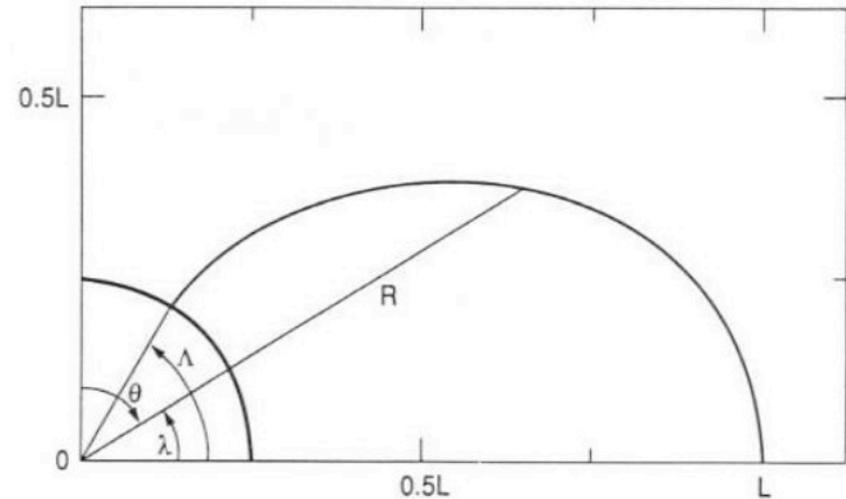
- Dipolar approximation :

$$\psi = M \cdot r / r^3 = M \cos\theta / r^2$$

$$\Rightarrow \mathbf{B} : B_r = -\partial\psi/\partial r = 2 M \cos\theta / r^3$$

$$B_\theta = -1/r \partial\psi/\partial\theta = M \sin\theta / r^3$$

$$B_\phi = 0$$



$$|\mathbf{B}| = M/r^3 (1+3\cos^2\theta)^{1/2} = B_e/L^3 (1+3\cos^2\theta)^{1/2}$$

with $B_e = M/R_p^3 =$ field intensity at the equatorial surface and $r = L R_p$

Equation of a dipolar field line : $r = L \sin^2\theta$

- Multipolar development in spherical harmonics :

$$\psi = R_P \sum_{n=1 \rightarrow \infty} (R_P/r)^{n+1} S_i^n + (r/R_P)^n S_e^n$$

S_i^n = internal sources (currents)

S_e^n = external sources (magnetopause currents, equatorial current disc ...)

with

$$S_i^n = \sum_{m=0 \rightarrow n} P_n^m(\cos\theta) [g_n^m \cos m\phi + h_n^m \sin m\phi]$$

$$S_e^n = \sum_{m=0 \rightarrow n} P_n^m(\cos\theta) [G_n^m \cos m\phi + H_n^m \sin m\phi]$$

$P_n^m(\cos\theta)$ = orthogonal Legendre polynomials

$g_n^m, h_n^m, G_n^m, H_n^m$ = Schmidt coefficients (internal and external)

This representation is valid out of the sources (currents). Specific currents (e.g. equatorial disc at Jupiter & Saturn) are described by an additional explicit model, not an external potential.

Degree $n=1$ corresponds to the dipole, $n=2$ to quadrupole, $n=3$ to octupole, ...

- Origin of planetary magnetic fields :

- Dynamo :

- Rotation** +

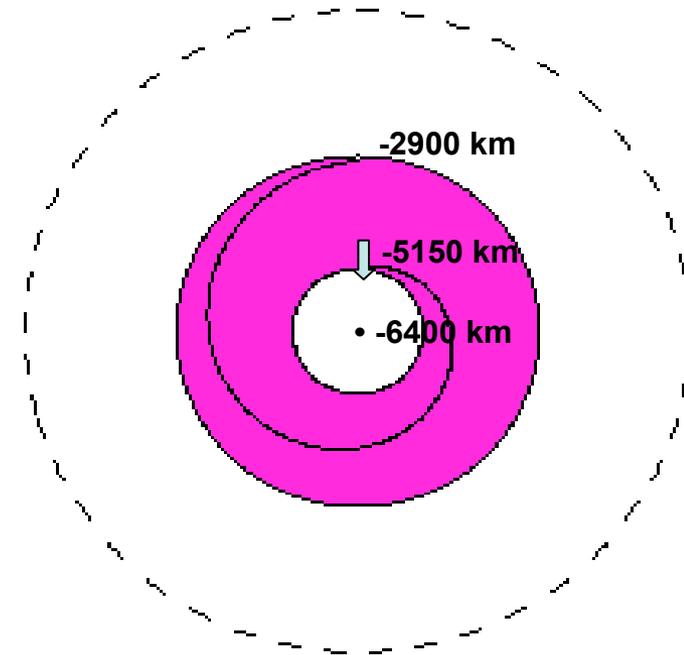
- Convection** (thermal, compositional) +

- Conducting fluid** (Earth : liquid Fe-Ni in external core, Jupiter : metallic H)

- ⇒ sustained B field

- Remanent / ancient dynamo (Mars, Moon...)

- Induced (Jovian / Saturnian satellites)



Planet or satellite	Observed surface field (in T, approximate)	Comments and interpretation
Mercury	2×10^{-7}	Not well characterized or understood
Venus	$< 10^{-8}$ (global); no useful constraint on local fields.	No dynamo. Small remanence
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Moon	Patchy (10^{-9} – 10^{-7}). Impact-generated? No global field	Ancient dynamo?
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Io	$< 10^{-6}$?	Complex (deeply imbedded in Jovian field)
Europa	10^{-7}	Induction response (salty water ocean)
Ganymede	2×10^{-6}	Dynamo likely
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Titan	$< 10^{-7}$	Need more data
Uranus	2×10^{-5}	Dynamo(uncertain depth)
Neptune	2×10^{-5}	Dynamo (uncertain depth)

$$1 \text{ G} = 10^{-4} \text{ T} = 10^5 \text{ nT}$$

[Stevenson, 2003]

- In-situ measurements of Terrestrial magnetic field, up to order $n=14$.
- Ground-based radio discovery and first measurements of Jovian magnetic field :

~20 MHz

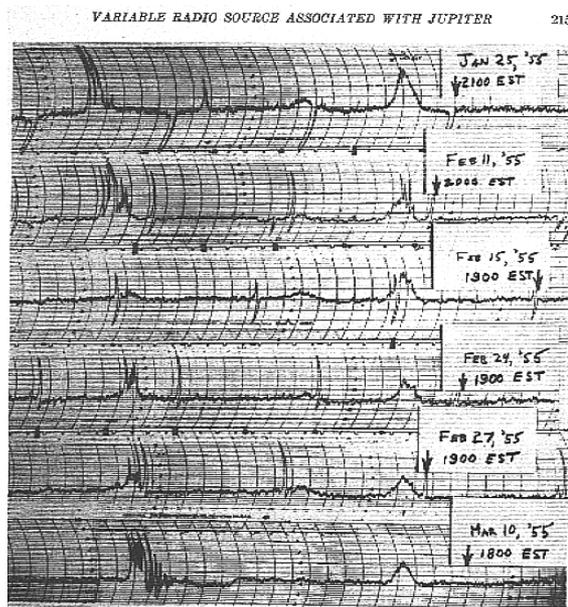
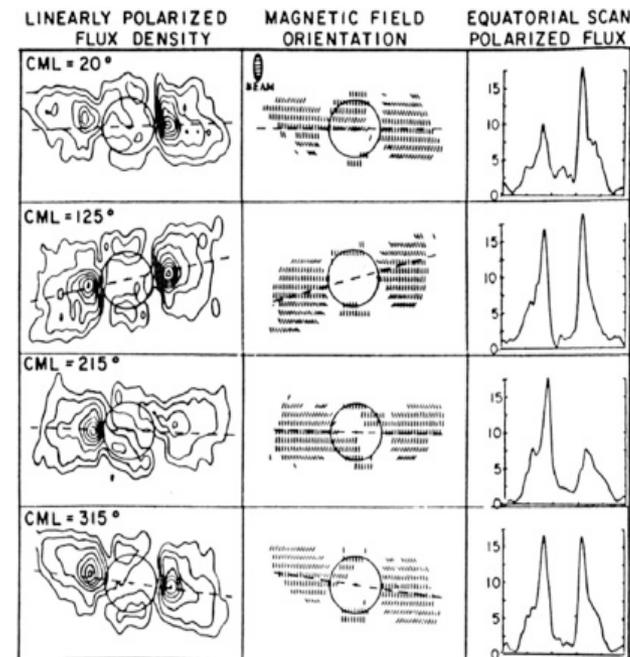


FIG. 2—Phase-switching records showing the appearance of the variable source

[Burke & Franklin, 1955]

~1 GHz



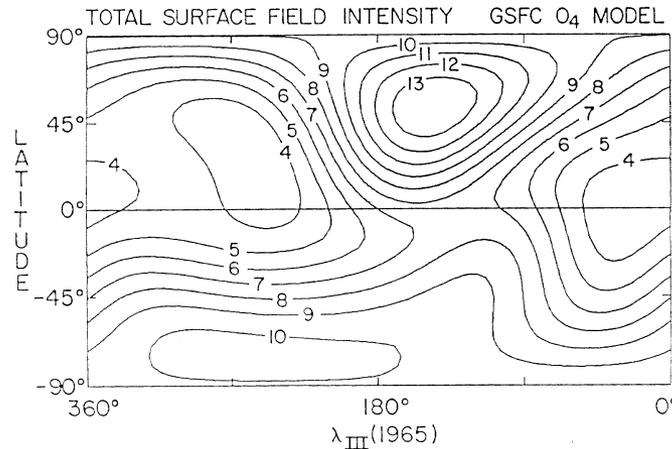
[Radhakrishnan & Roberts, 1958]

⇒ existence, maximum amplitude, inclination of Jovian B field
 system III of magnetic longitudes : P = 9 h 55 min 29.37 sec

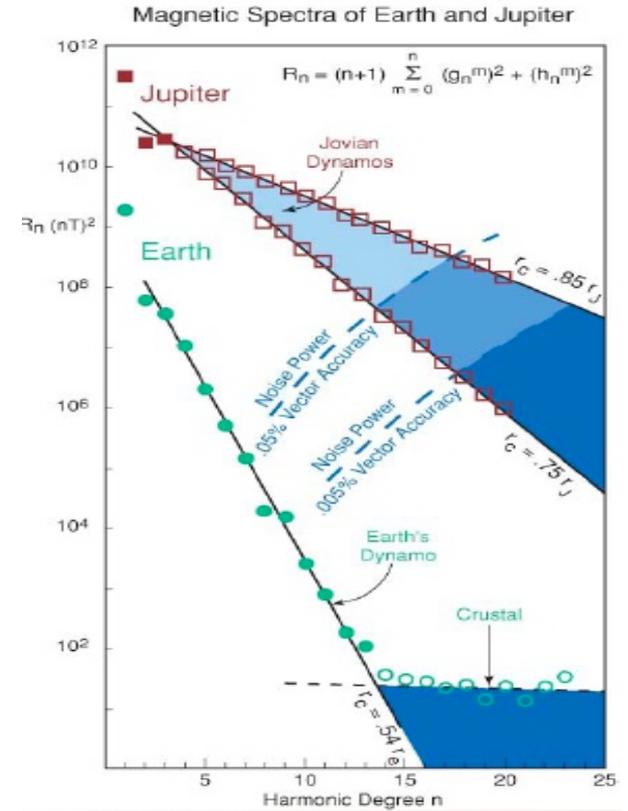
- Spacecraft measurements of planetary magnetic fields :

- Jupiter : Pioneer 10 & 11 (1973-74), Voyager 1 & 2 (1979), (Ulysses 1992, Galileo 1995-2003)

	O ₄	O ₆	VIP 4
g_1^0	4,218	4,242	4,205
g_1^1	-0,664	-0,659	-0,659
h_1^1	0,264	0,241	0,250
g_2^0	-0,203	-0,022	-0,051
g_2^1	-0,735	-0,711	-0,619
g_2^2	0,513	0,487	0,497
h_2^1	-0,469	-0,403	-0,361
h_2^2	0,088	0,072	0,053
g_3^0	-0,233	0,075	-0,016
g_3^1	-0,076	-0,155	-0,520
g_3^2	0,168	0,198	0,244
g_3^3	-0,231	-0,180	-0,176
h_3^1	-0,580	-0,388	-0,088
h_3^2	0,487	0,342	0,408
h_3^3	-0,294	-0,224	-0,316
g_4^0			-0,168
g_4^1			0,222
g_4^2			-0,061
g_4^3			-0,202
g_4^4			0,066
h_4^1			0,076
h_4^2			0,404
h_4^3			-0,166
h_4^4			0,039



[Ness, 1988]

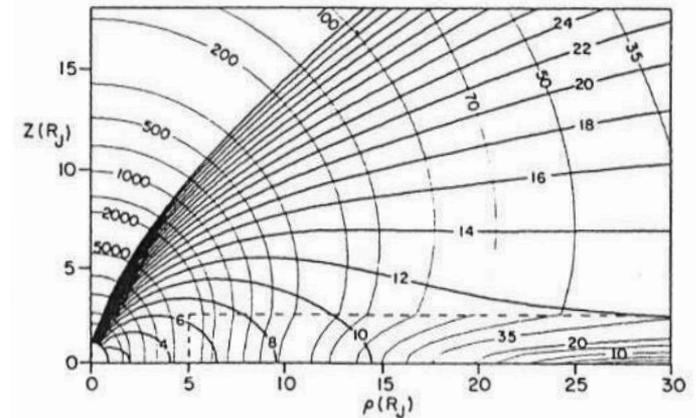
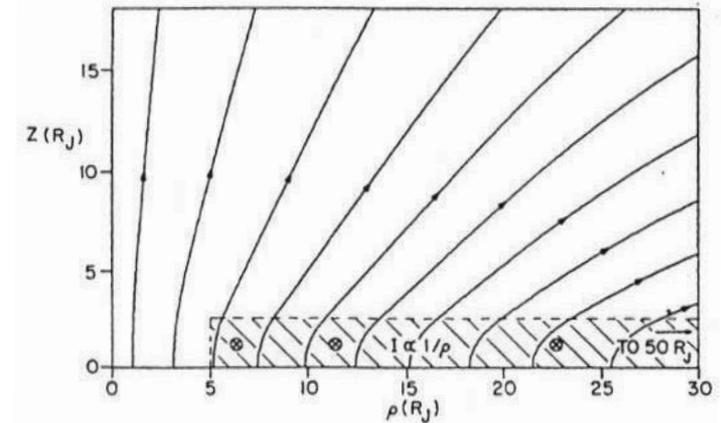
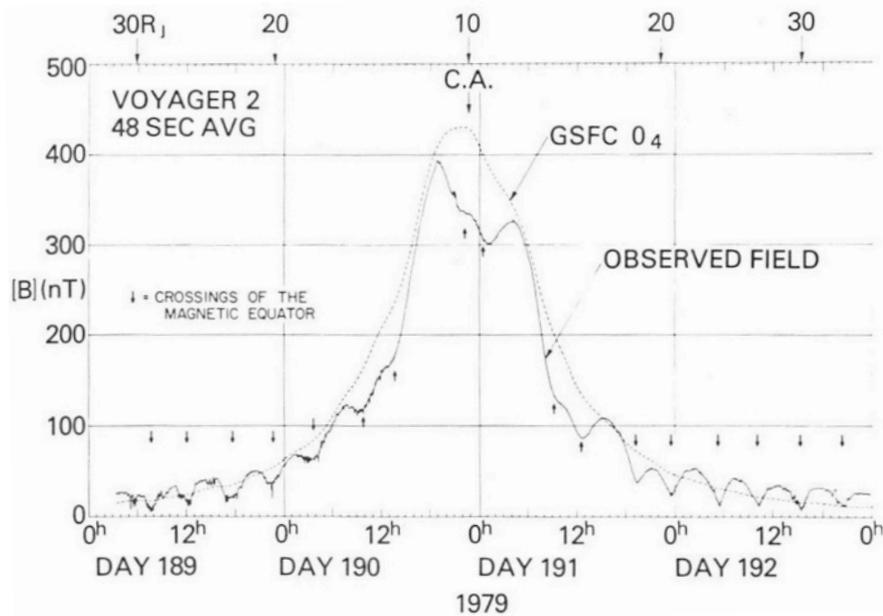


[Connerney, 1992]

⇒ intense, N anomaly, no secular variation 1973-2001

- Spacecraft measurements of planetary magnetic fields :

- Jupiter : Pioneer 10 & 11 (1973-74), Voyager 1 & 2 (1979), (Ulysses 1992, Galileo 1995-2003)



⇒ current disc, 300 MA, in centrifugal equator
explicit model 5-50 x 5 R_J

[Acuña et al., 1983]

- Spacecraft measurements of planetary magnetic fields :

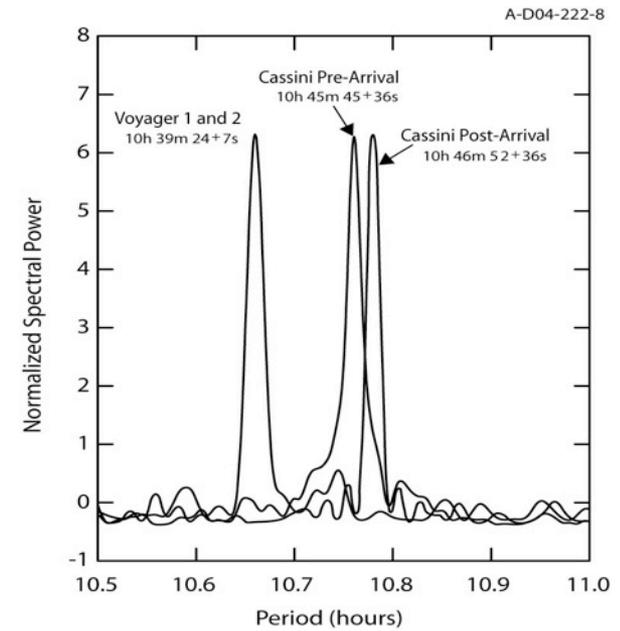
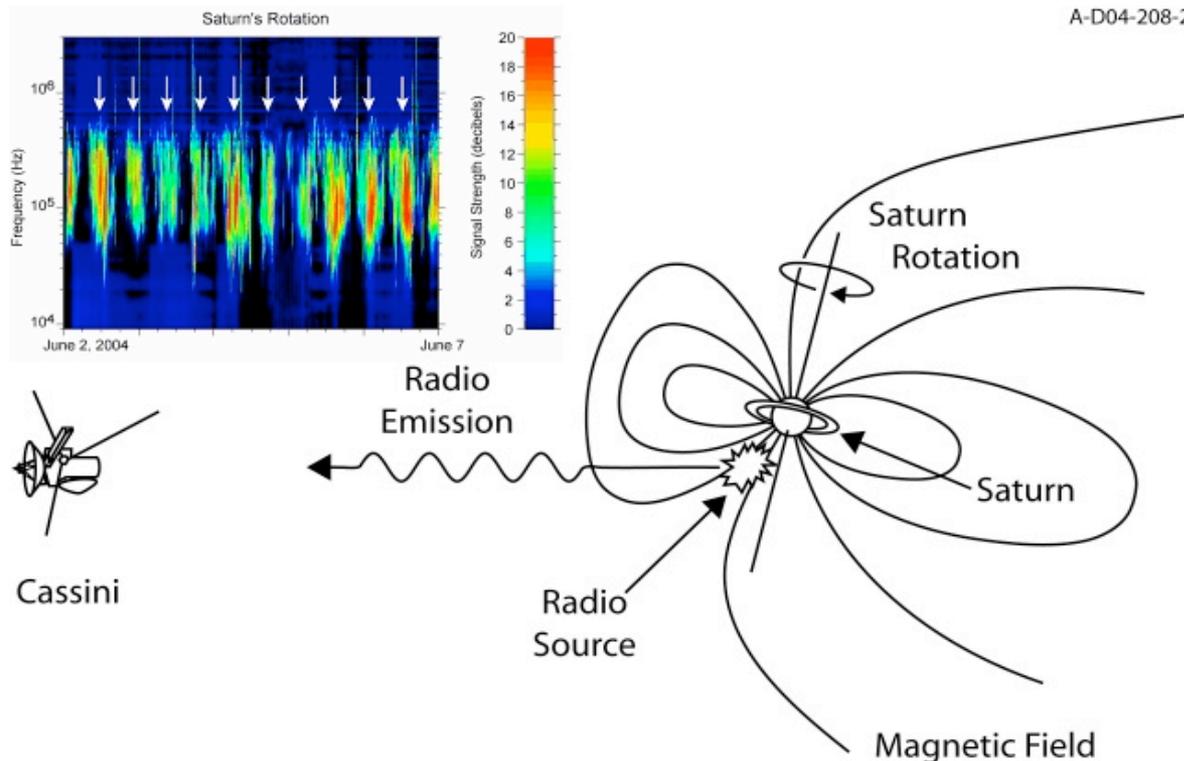
- Saturn : Pioneer 11 (1979), Voyager 1 & 2 (1980-81), (Cassini 2004-2017)

- ⇒ axisymmetric field, contradicts Cowling's antidynamo theorem

- ⇒ filtering or shadowing multipolar terms ?

- ⇒ origin of magnetospheric periodicities ?

- (complex & variable → unknown rotation period)

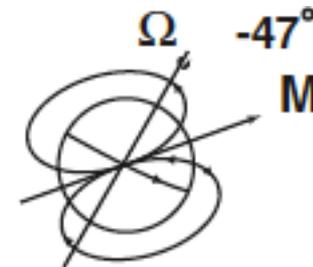
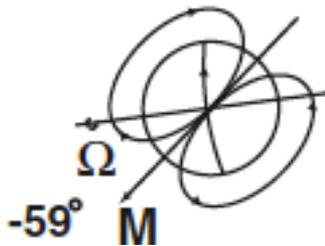
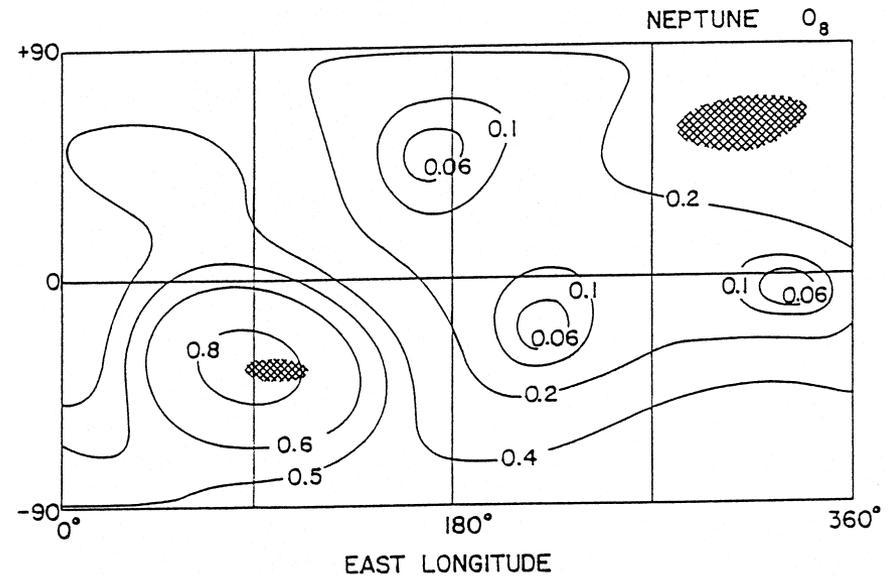
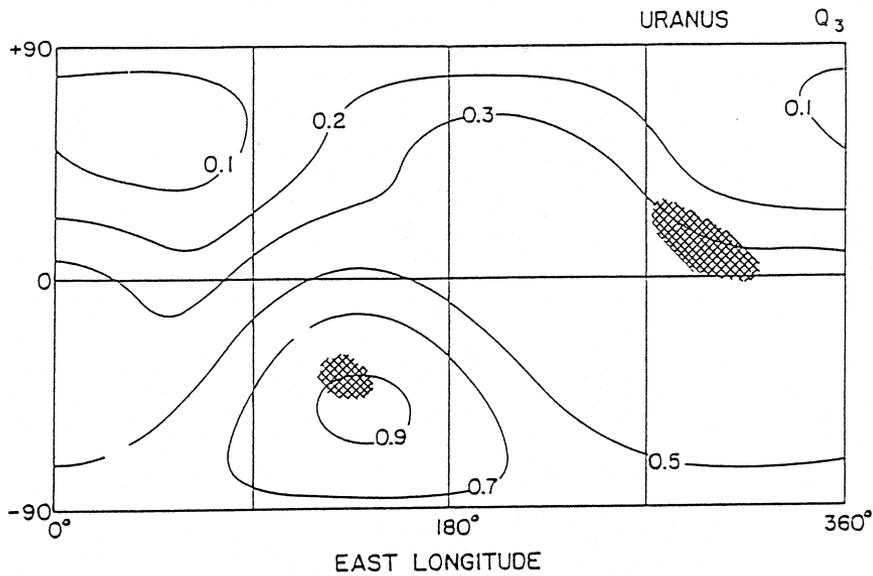


[Gurnett et al., 2005]

- Spacecraft measurements of planetary magnetic fields :

- Uranus, Neptune : Voyager 2 (1986 & 1989)

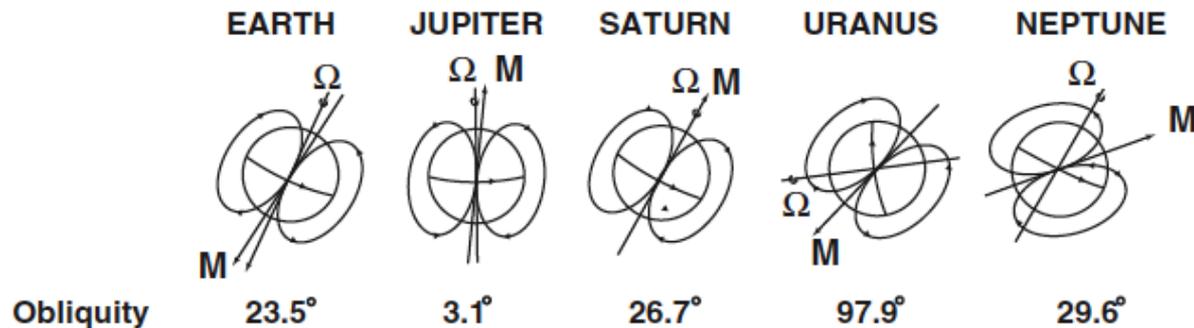
⇒ strongly offset & tilted B fields



[adapted from Ness, 1992]

- Magnetic field of Giant planets compared to Earth :

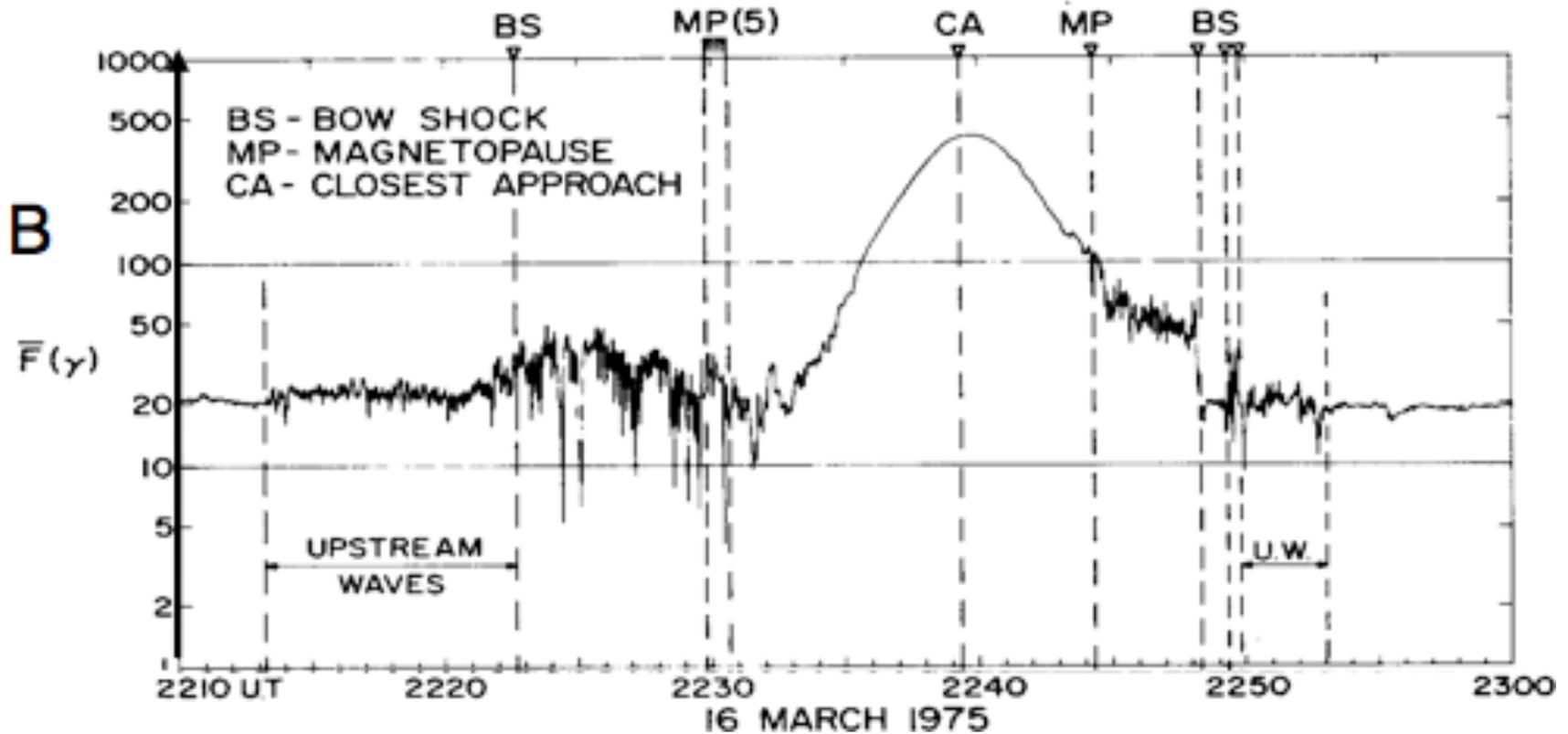
Planète	Terre	Jupiter	Jupiter	Saturne	Uranus	Neptune
R_p (km)	6378	71372	71372	60330	25600	24765
Modèle	IGRF 2000	O6	VIT4	Z3	Q3	O8
g_1^0	-0.29615	+4.24202	+4.28077	+0.21535	+0.11893	+0.09732
g_1^1	-0.01728	-0.65929	-0.75306	0	+0.11579	+0.03220
h_1^1	+0.05186	+0.24116	+0.24616	0	-0.15685	-0.09889
g_2^0	-0.02267	-0.02181	-0.04283	+0.01642	-0.06030	+0.07448
g_2^1	+0.03072	-0.71106	-0.59426	0	-0.12587	+0.00664
h_2^1	-0.02478	-0.40304	-0.50154	0	+0.06116	+0.11230
g_2^2	+0.01672	+0.48714	+0.44386	0	+0.00196	+0.04499
h_2^2	-0.00458	+0.07179	+0.38452	0	+0.04759	-0.00070
g_3^0	+0.01341	+0.07565	+0.08906	+0.02743	0	-0.06592
g_3^1	-0.02290	-0.15493	-0.21447	0	0	+0.04098
h_3^1	-0.00227	-0.38824	-0.17187	0	0	-0.03669
g_3^2	+0.01253	+0.19775	+0.21130	0	0	-0.03581
h_3^2	+0.00296	+0.34243	+0.40667	0	0	+0.01791
g_3^3	+0.00715	-0.17958	-0.01190	0	0	+0.00484
h_3^3	-0.00492	-0.22439	-0.35263	0	0	-0.00770
M^l dipolaire ($G \cdot R_p^3$)	0.305	4.26		0.215	0.228	0.142
Inclinaison (B / Ω)	+11°	-9.6°		-0°	-58.6°	-46.9°
Offset centre dipôle / centre planète (R_p)	0.08	0.07		0.04	0.31	0.55



- Spacecraft measurements of planetary magnetic fields :

- Mercury: Mariner 10 (1974-75), (Messenger 2011-13)

⇒ weak B ~400 nT, tilt ~10°

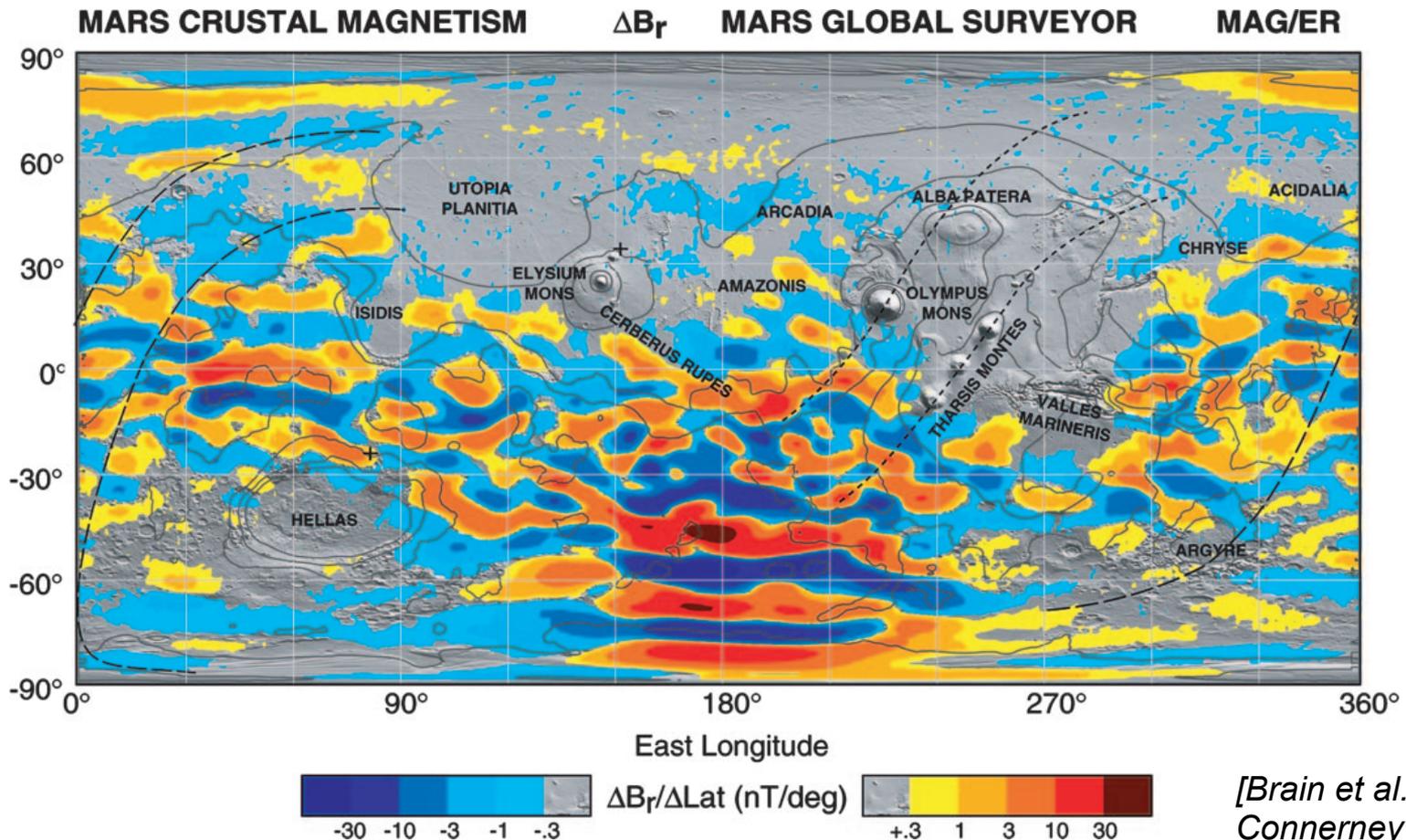


[Ness et al., 1976, Connerney et al., 1988]

- Spacecraft measurements of planetary magnetic fields :

- Mars: Mars Global Surveyor (1996-2006)

⇒ no global magnetosphere, up to 10^{4-5} nT locally at surface tectonics-related ?
 "mini-MS" form small bumps above the ionosphere, up to >1000 km altitude

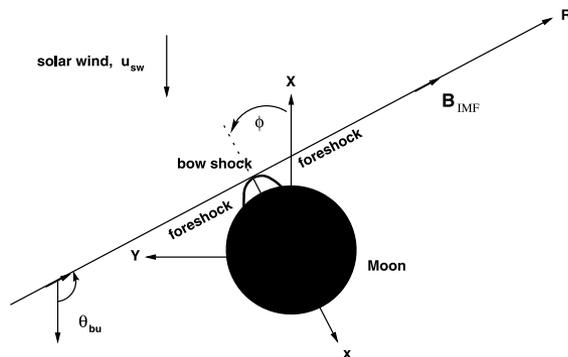
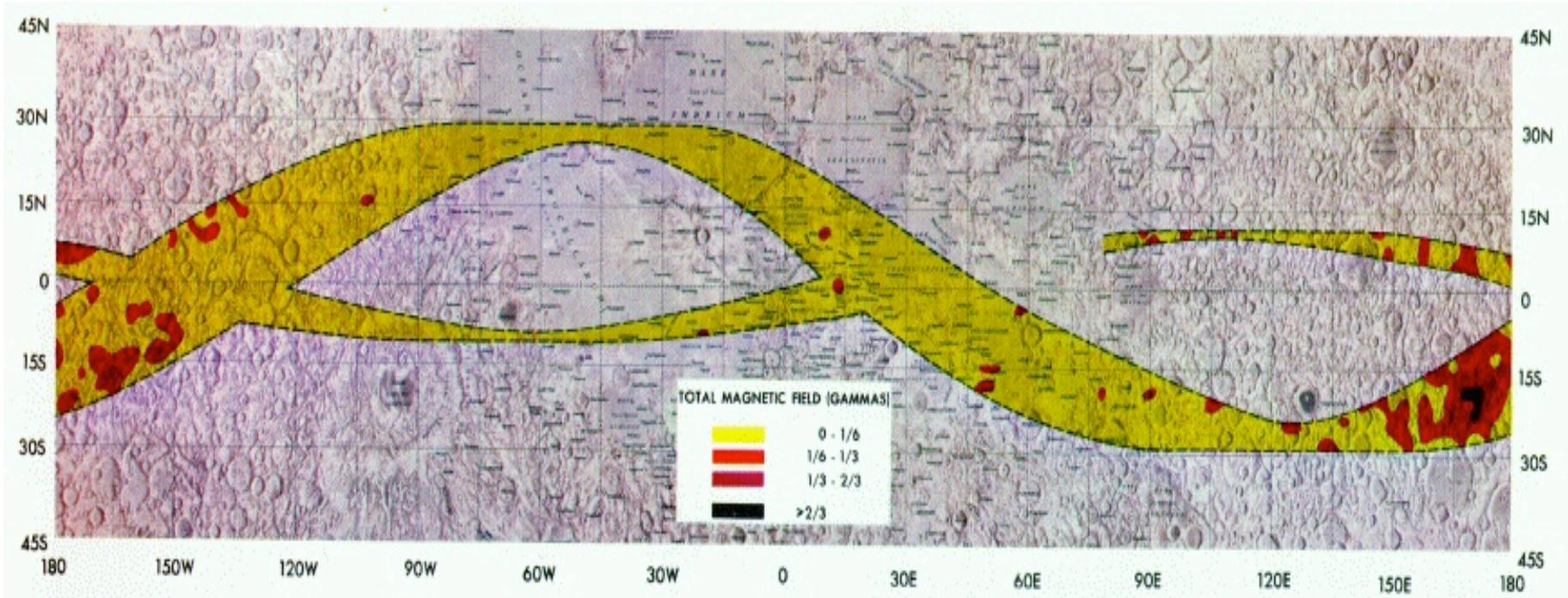


[Brain et al., 2003 ;
 Connerney et al., 2005]

- Spacecraft measurements of planetary magnetic fields :

- Moon: Lunar Prospector (1998-99)

⇒ no global MS, B up to 100 nT at surface, opposed to impact craters



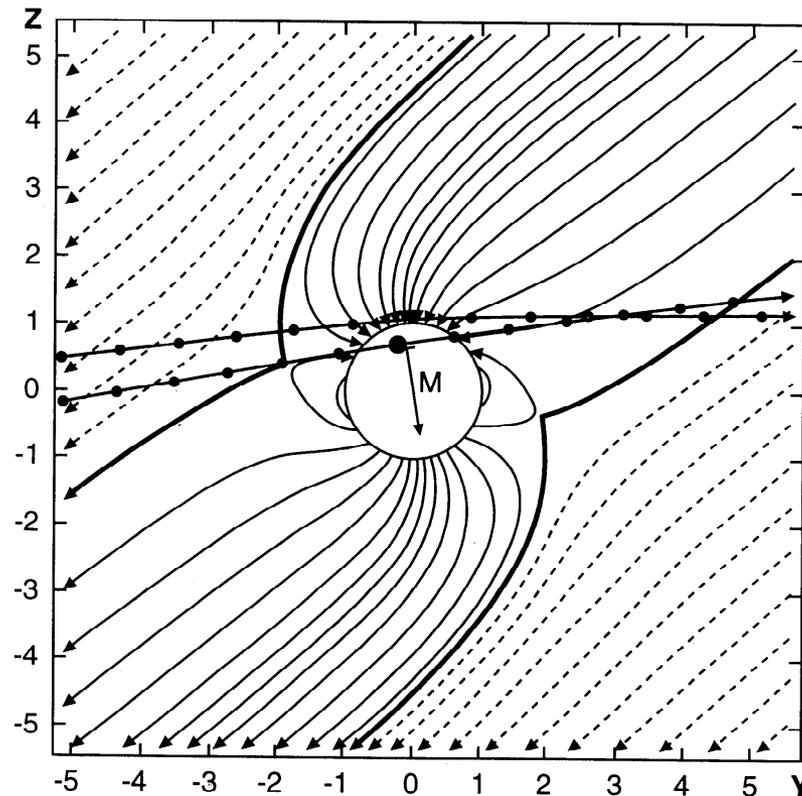
mini-MS (+ associated radio emissions detected by WIND)

[Kuncic & Cairns, 2004]

- Spacecraft measurements of planetary magnetic fields :

- Ganymede: Galileo (1996-2003)

⇒ internal B field and magnetosphere (embedded in Jupiter's, ~100 nT)



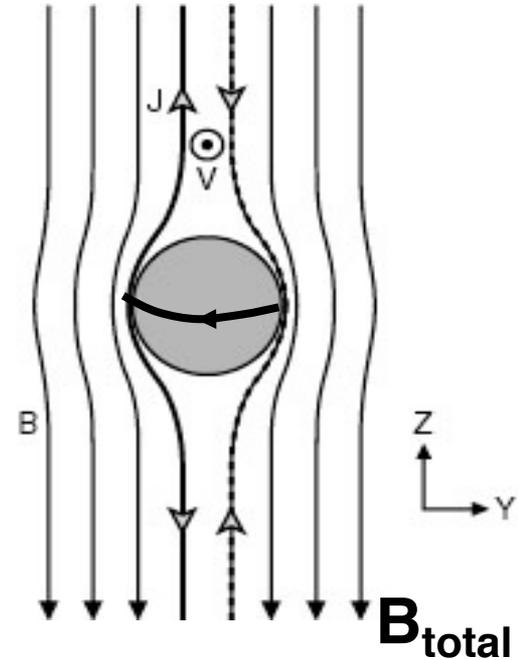
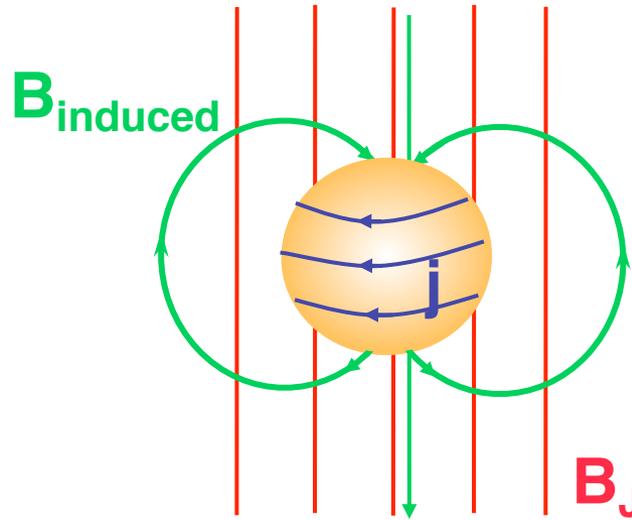
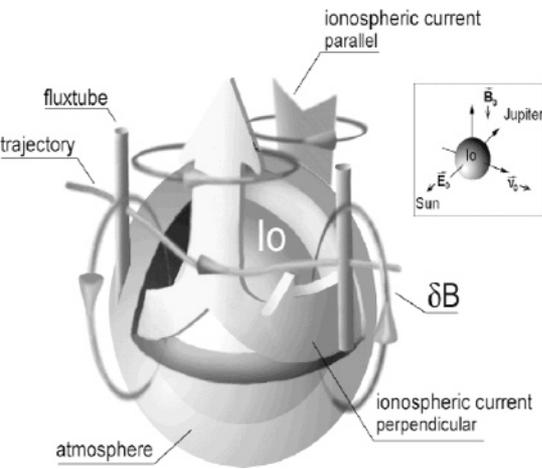
1996 June 27 06:00:00 - 07:05:00 ● 5 Minutes
1996 Sept 06 18:30:00 - 19:32:00

View from downstream looking into flow direction

[Gurnett et al., 1996,
Kivelson et al., 1997]

- Spacecraft measurements of planetary magnetic fields :

- other Galilean satellites, Enceladus: induced field



to Jupiter \rightarrow

[Saur et al., 2002,
Khurana, 2009]

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$$1 \text{ G} = 10^{-4} \text{ T} = 10^5 \text{ nT}$$

[Stevenson, 2003]

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- **Context**

High plasma conductivity

⇒ B frozen-in

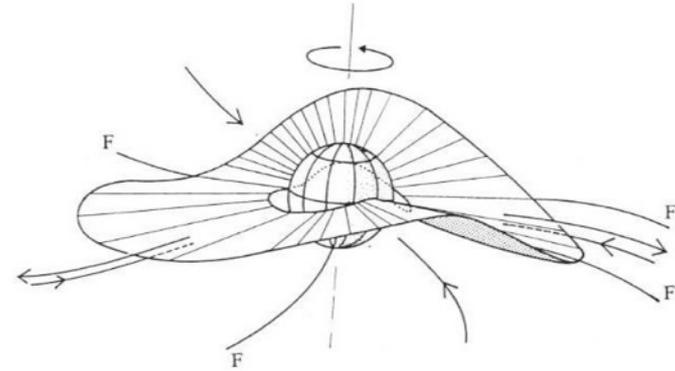
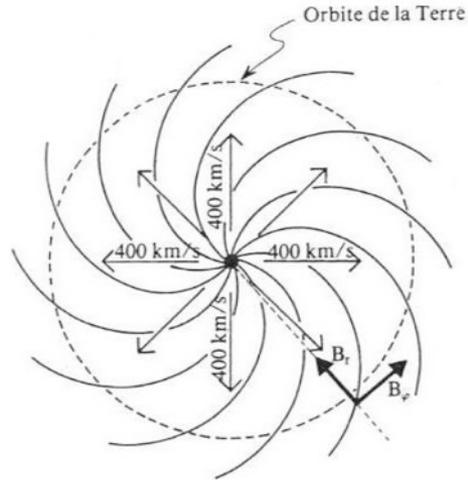
⇒ $E = -\nabla\phi$ almost everywhere (0 in plasma frame)

⇒ quasi-neutrality

& $E \cdot B = 0$ ($\Delta\phi$ conserved along B lines,
= electric equipotentials)

• Solar Wind

- dominated by bulk energy density : $NmV^2/2$
- carries away solar B rooted in the Sun \Rightarrow ballerina skirt



- SW parameters at planetary orbits (r in AU) :

$$V \sim 400/r^{2/7} \text{ km/s}$$

$$T \sim 2 \times 10^5 / r^{2/7} \text{ K}$$

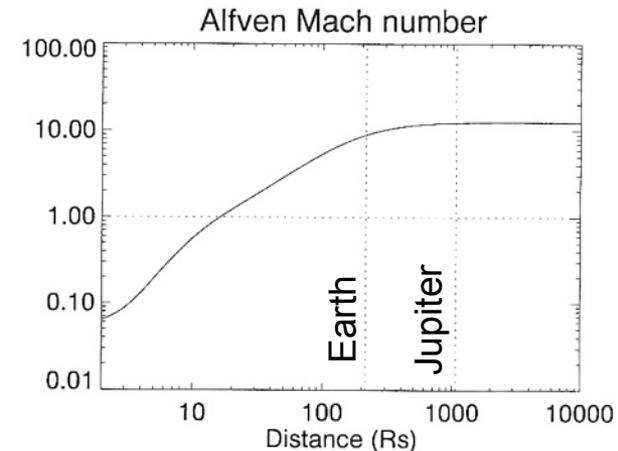
$$N = 5/r^2 \text{ cm}^{-3}$$

$$B_r = 3/r^2 \text{ nT}$$

$$B_\phi = B_r \Omega r / V = 3/r \text{ nT}$$

$$V_S \sim 60/r^{1/7} \text{ km/s}$$

$$V_A \sim 40 \times (1/2 + r^{-2}/2)^{1/2} \text{ km/s}$$



• Solar Wind - Obstacle interaction

- depends on presence of obstacle's :

intrinsic large-scale B

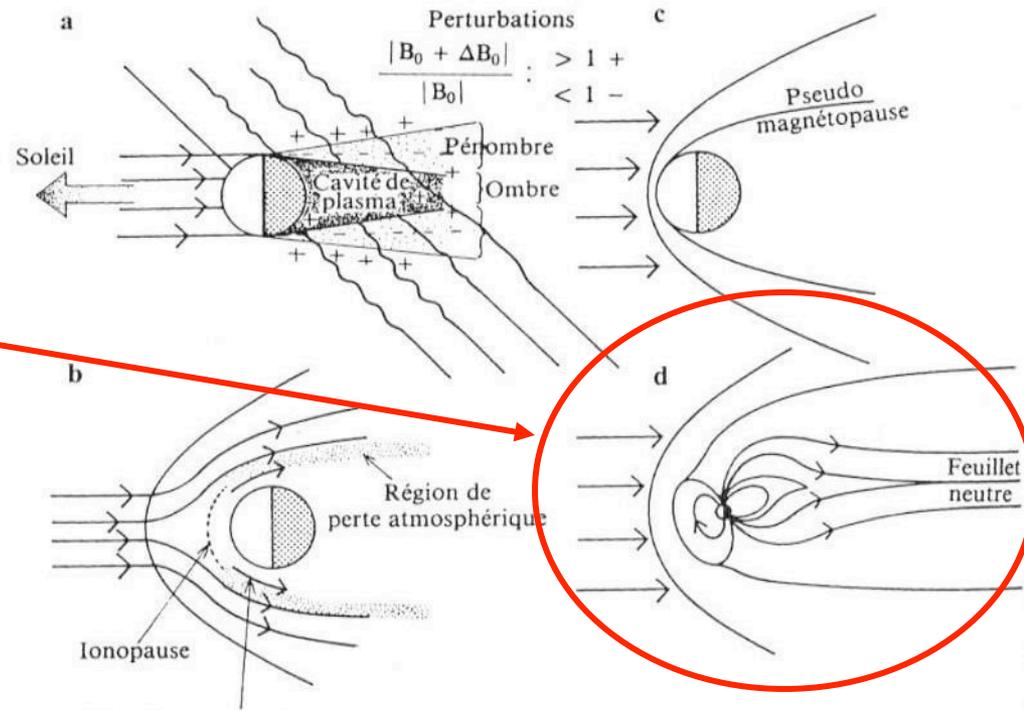
ionosphere

conductivity

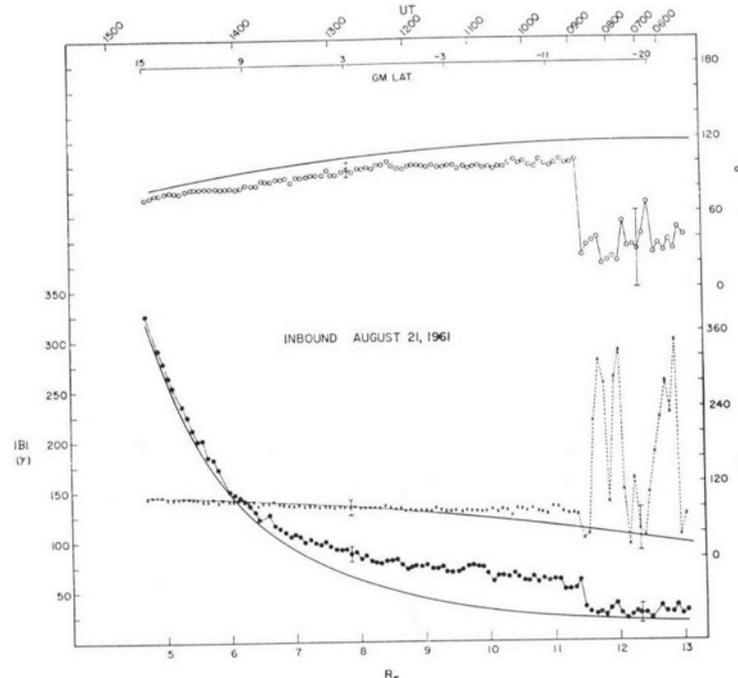
-1st case \Rightarrow abrupt boundary

in planetary B

= magnetopause

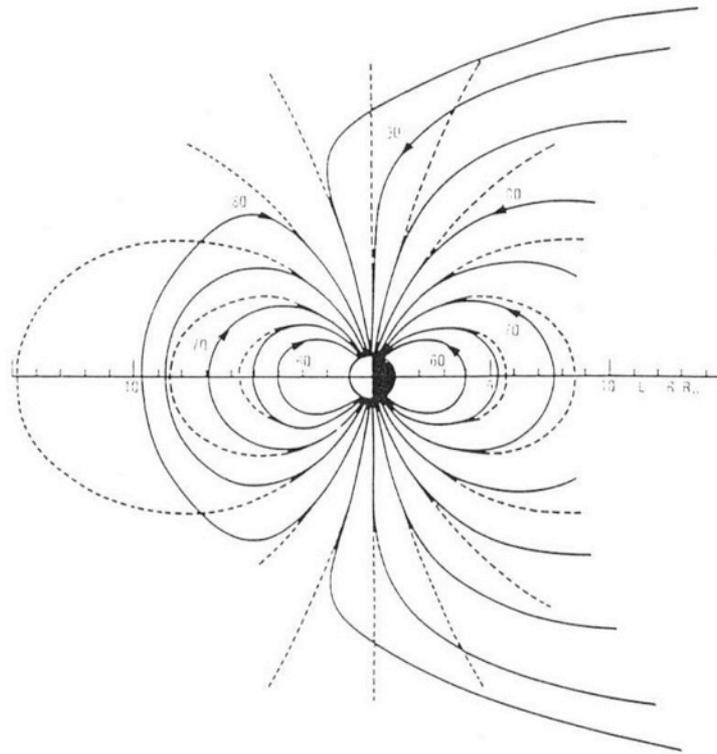
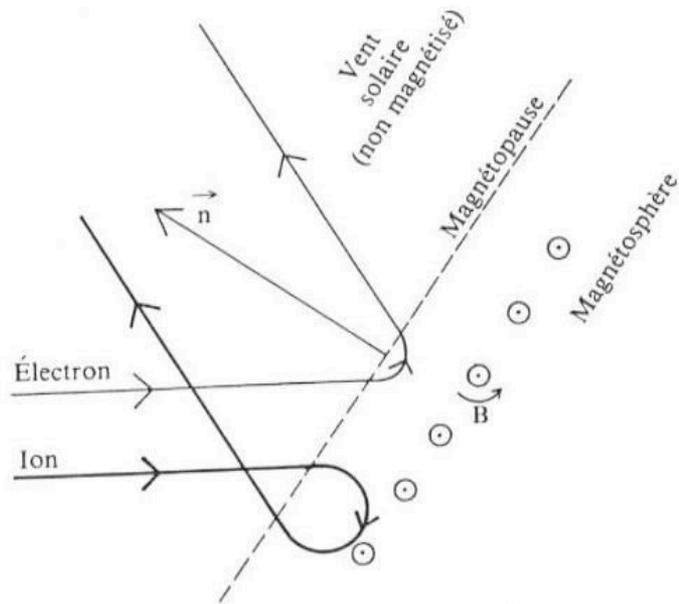


[Lepping, 1986]



[Cahill & Patel, 1967]

• Magnetopause



- Pressure equilibrium : $P_{SW} = KNmV^2\cos^2\chi = P_{MS} = B_T^2/2\mu_o$

with $B_T = B_P + B_C = 2 B_P$ at MP nose

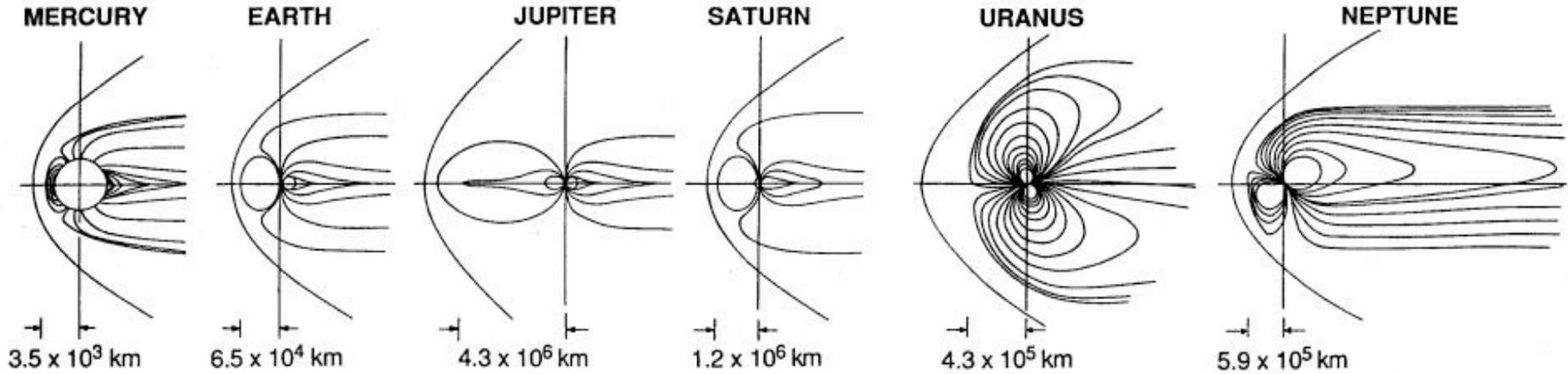
$K = 1-2$

⇒ MP shape

- MP sub-solar point (dipolar field : $B_P = B_{eq} (1+3\cos^2\theta)^{1/2}/R^3$) :

$$R_{MP} = (2 B_{eq}^2/\mu_o KNmV^2)^{1/6}$$

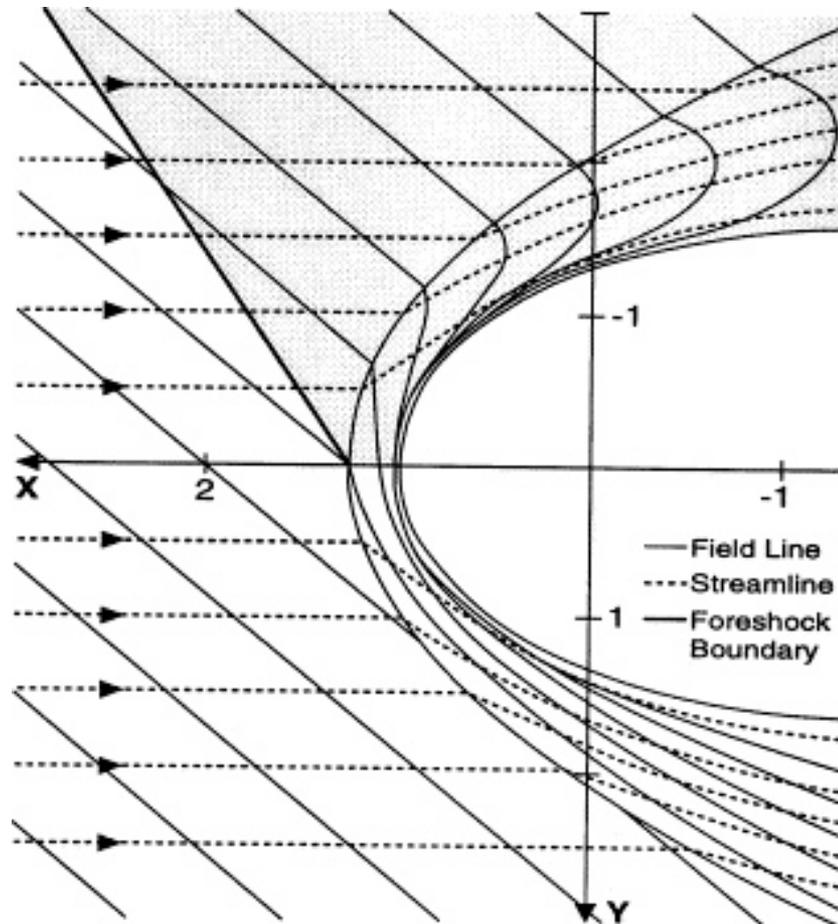
• Magnetopause



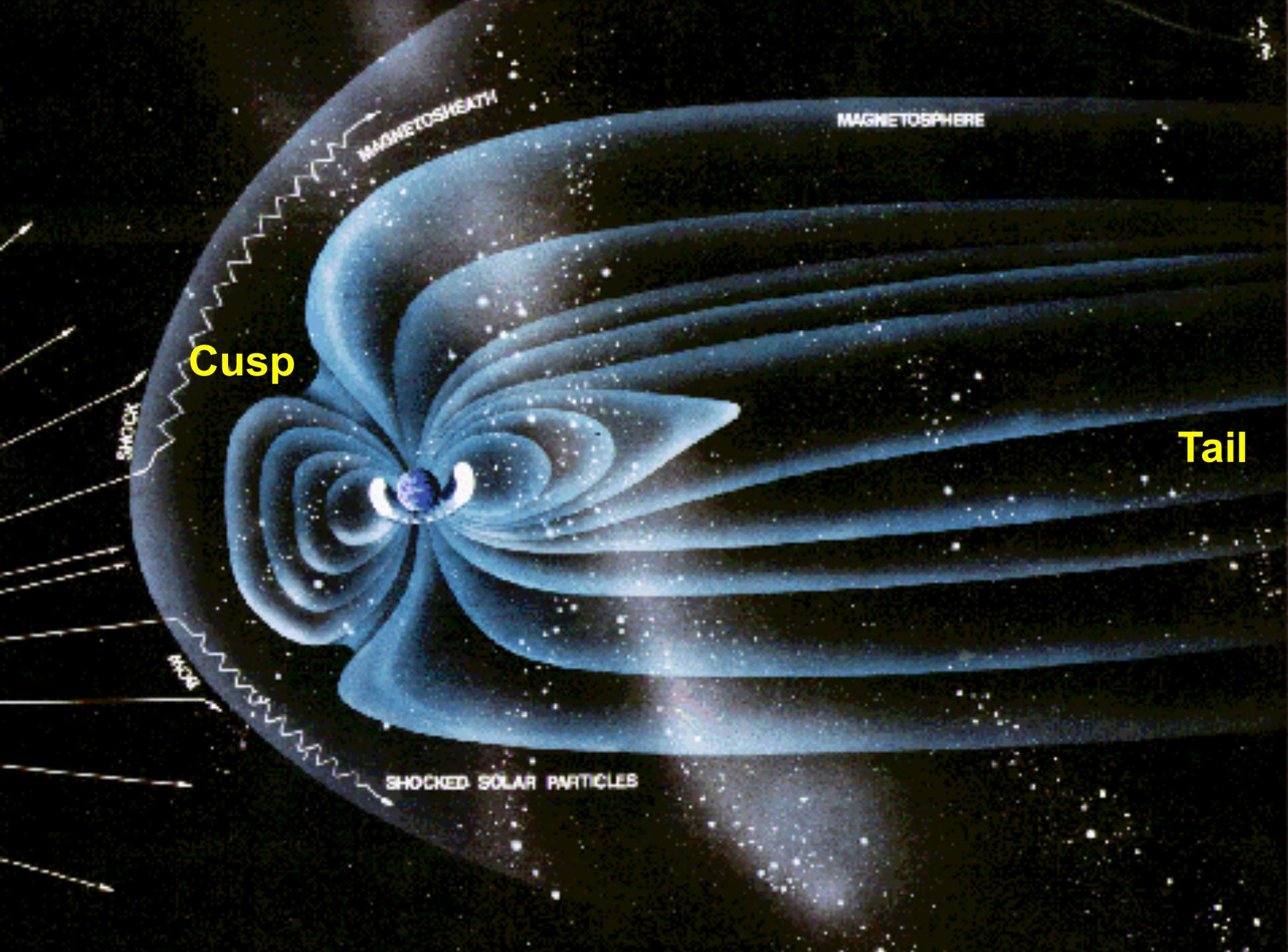
	Mercure	Terre	Jupiter	Saturne	Uranus	Neptune
R_p (km)	2 439	6 378	71 492	60 268	25 559	24 764
D orbitale (UA)	0.39	1	5.2	9.5	19.2	30.1
M_{dip} ($G \cdot km^3$)	5.5×10^7	7.9×10^{10}	1.6×10^{15}	4.7×10^{13}	3.8×10^{12}	2.2×10^{12}
Champ à l'équateur B_e (G)	0.003	0.31	4.3	0.21	0.23	0.14
Inclinaison [B, Ω] ($^\circ$) et sens	+14	+11.7	-9.6	-0.	-58.6	-46.9
R_{MP} (R_p) calculée [mesurée]	1.4 [~ 1.5]	9 [~ 10]	40 [~ 90]	17 [~ 20]	22 [~ 18]	21 [~ 23]

• Bow Shock

- supersonic / super-Alfvénic flow \Rightarrow bow shock ahead of MP
- in magnetosheath : slowed flow ($V:4$ for $M_A \gg 1$)
 - \Rightarrow B draping / pile-up ($|\mathbf{V}| \cdot |\mathbf{B}| = c^t$)



[Spreiter et al., 1966]



Cusp

MAGNETOSHEATH

MAGNETOSPHERE

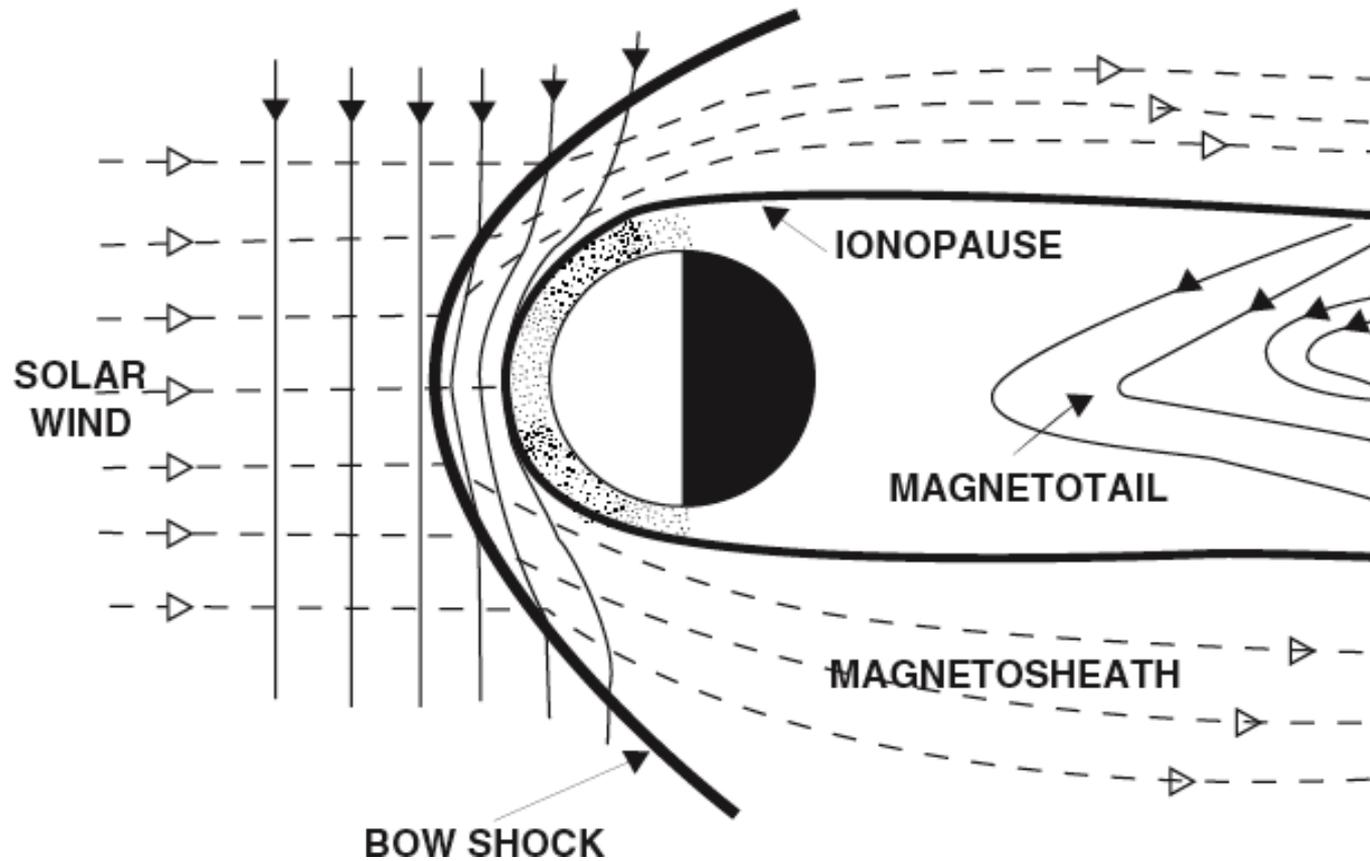
Tail

SHOCK

SHOCK

SHOCKED SOLAR PARTICLES

- if no intrinsic B field \Rightarrow induced MS, bow shock, B draping, tail, but no cusp

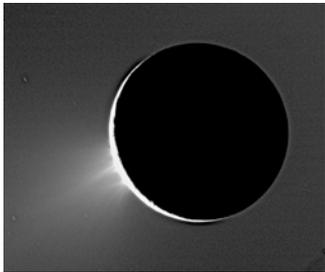
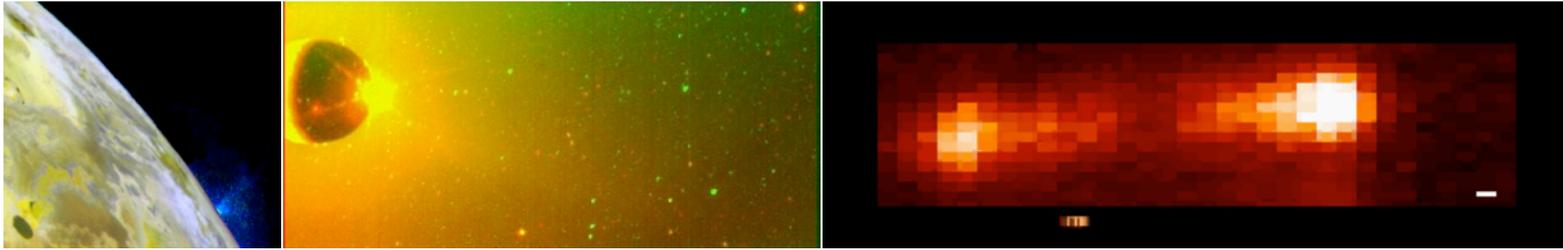


[Bagenal, 2002]

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• Plasma Sources

- Solar Wind : cusp + diffusion/reconnection across Magnetopause
(H & He, $T \sim 100$ eV, $\sim 1\%$ of SW flow)
- Ionosphere : vertical diffusive equilibrium of cold plasma ($T \sim 0.1-1$ eV)
- Satellites : Io : volcanism \Rightarrow plasma torus [Bagenal, 1994]



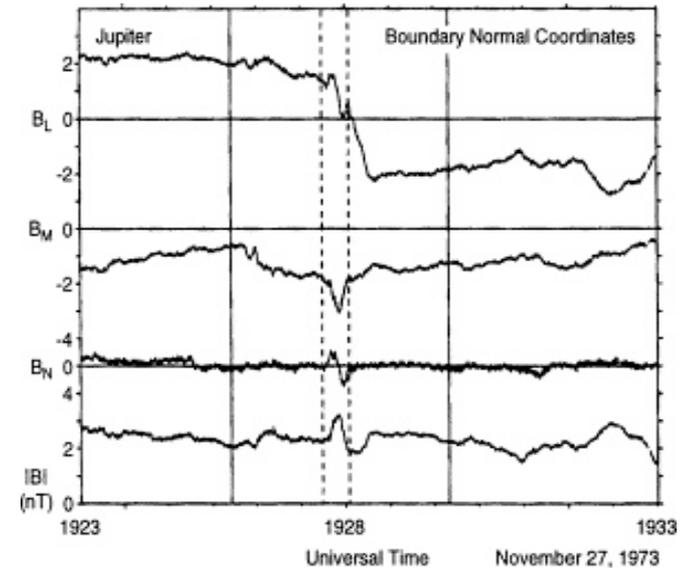
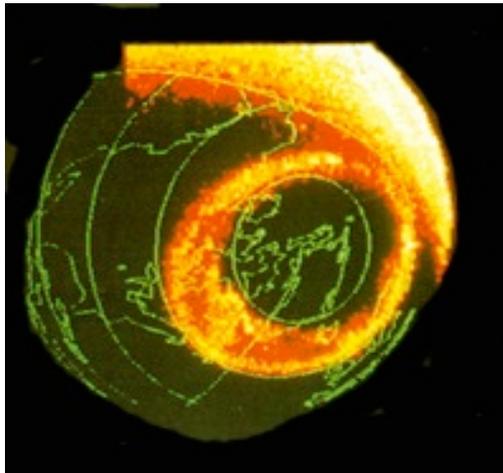
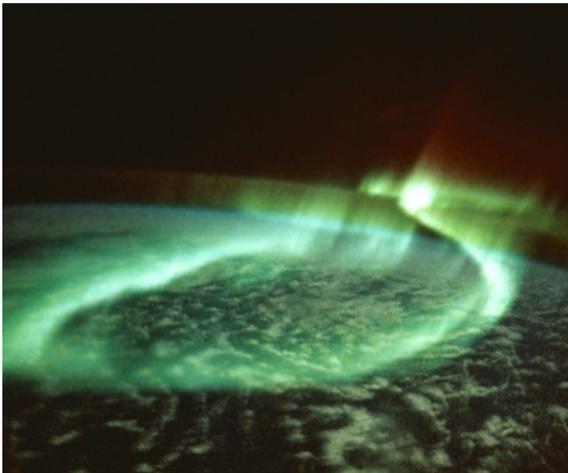
- Titan : atmospheric escape [Sittler et al., 2005]
- Enceladus : exosphere, plumes [Dougherty et al., 2005]
- Icy satellites or Mercury's surface : sputtering

- Rings : sputtering / photo-dissociation + ionisation [Young et al., 2005]

\Rightarrow Total MS mass $\sim 10^{10}$ kg @ Jupiter, $\sim 10^7$ kg @ Earth

• Plasma Circulation

- 2 convection cells + large scale E (dawn → dusk) inside Earth's MS
- energetic plasma inside MS
- quasi permanent circumpolar aurora ($\varnothing = 10^\circ\text{-}20^\circ$)
- SW control (B_z) of MS activity : $B_N \neq 0$ when $B_z // B_P$

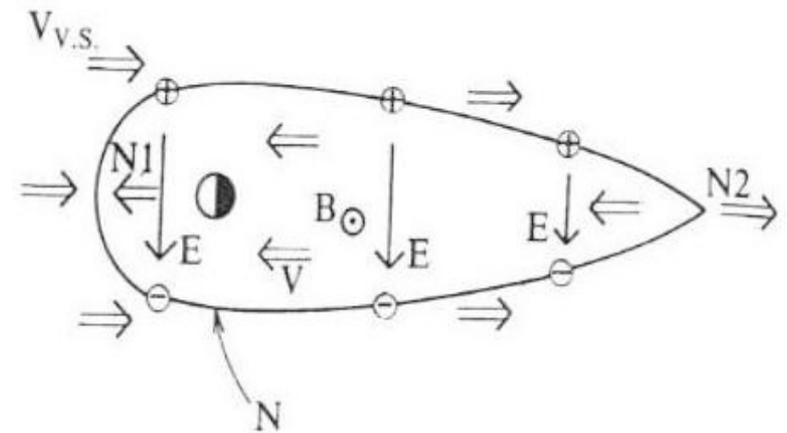
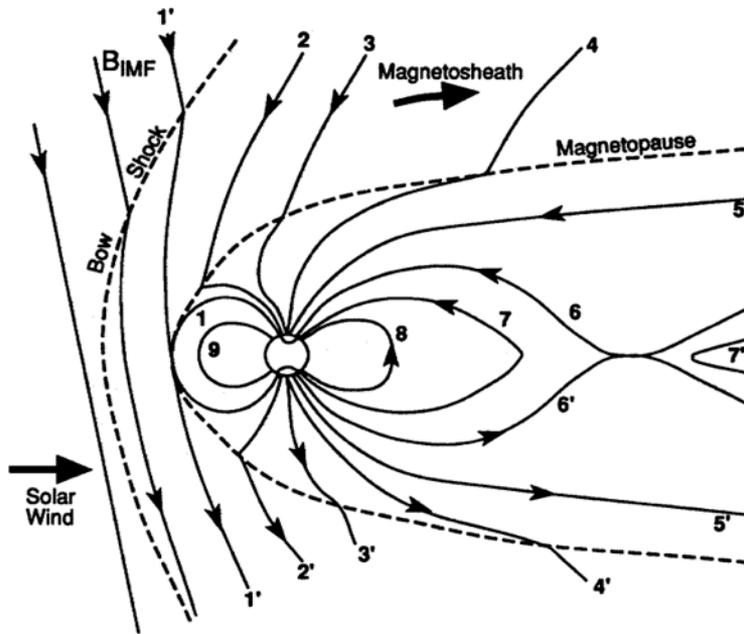


⇒ Open magnetosphere concept + Dungey cycle

[Dungey, 1961]

• Plasma Circulation

- Neutral (X) line at equator : penetration of plasma in MS \Rightarrow MP no more equipotential
- Auroral oval = limit open/closed field lines
 - = projection of equatorial neutral line on ionosphere
- Tail stores / releases energy and magnetic flux
- Poynting flux on obstacle : $P_m = B_{\perp}^2 / \mu_0 V \pi R_{obs}^2$



• Plasma Circulation

- Solar Convection in MS [antisolar above the poles]

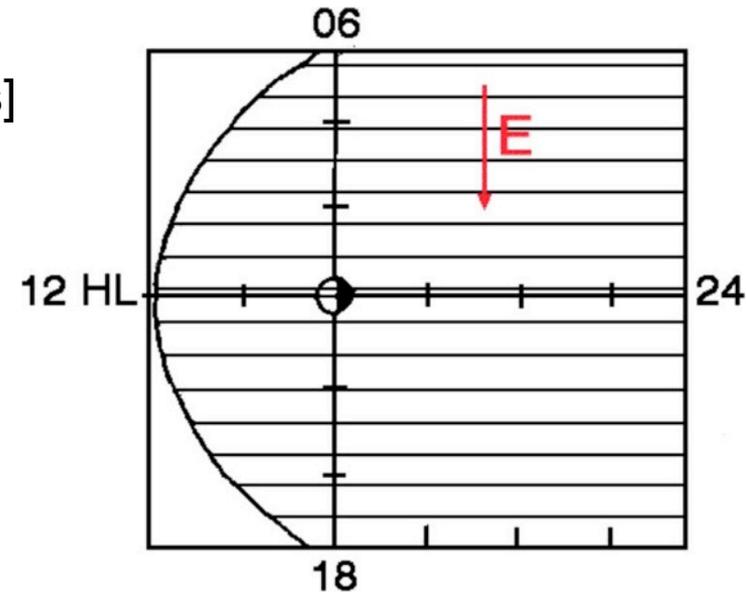
$$E = -V \times B \sim \varepsilon V_{SW} \times B_{SW} \quad (\text{dawn} \rightarrow \text{dusk})$$

$$\varepsilon = 0.1-0.2$$

$$\Delta\phi \sim \varepsilon V_{SW} B_{SW} \times 3 R_{MP}$$

~ 50 kV @ Earth

~ 1 MV @ Jupiter



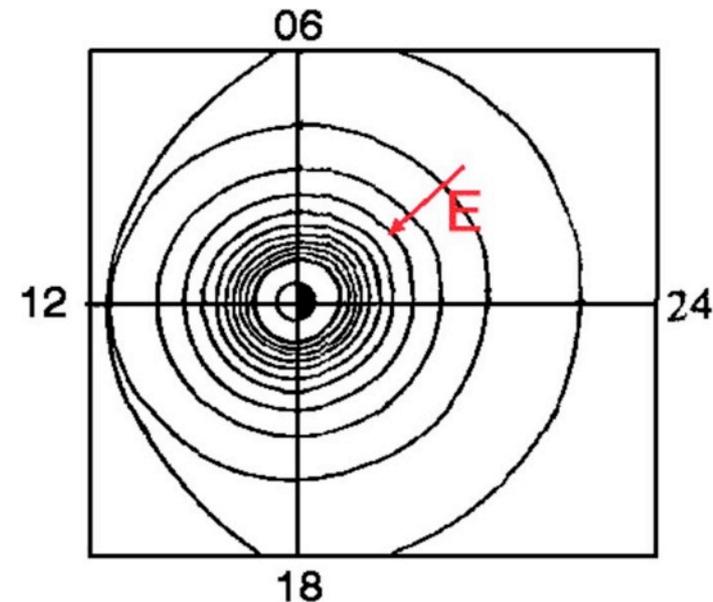
- Corotation

$$E = \Omega R \times B \quad (\text{radial})$$

$$\Delta\phi \sim \Omega B_{eq} R_P^2$$

~ 90 kV @ Earth

~ 400 MV @ Jupiter

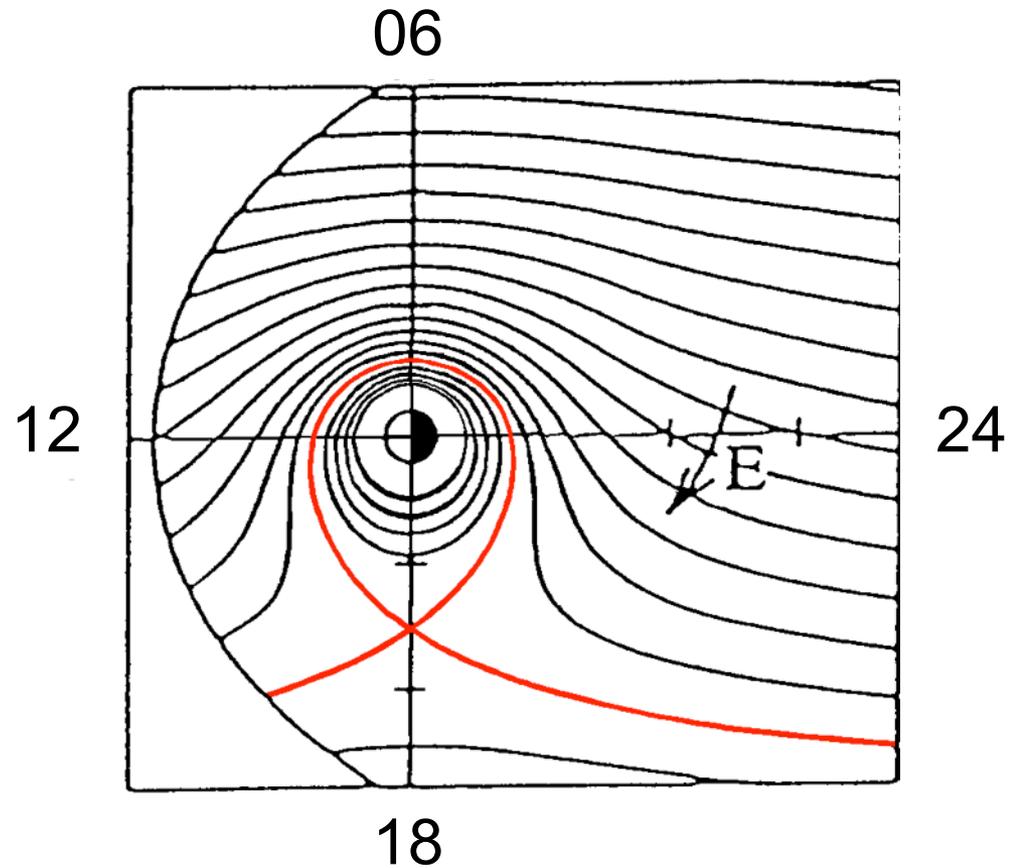


- **Plasma Circulation**

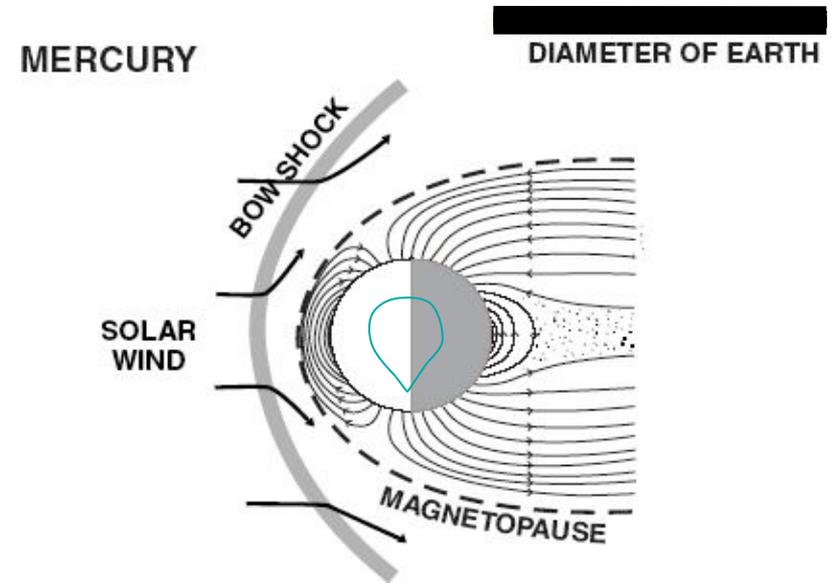
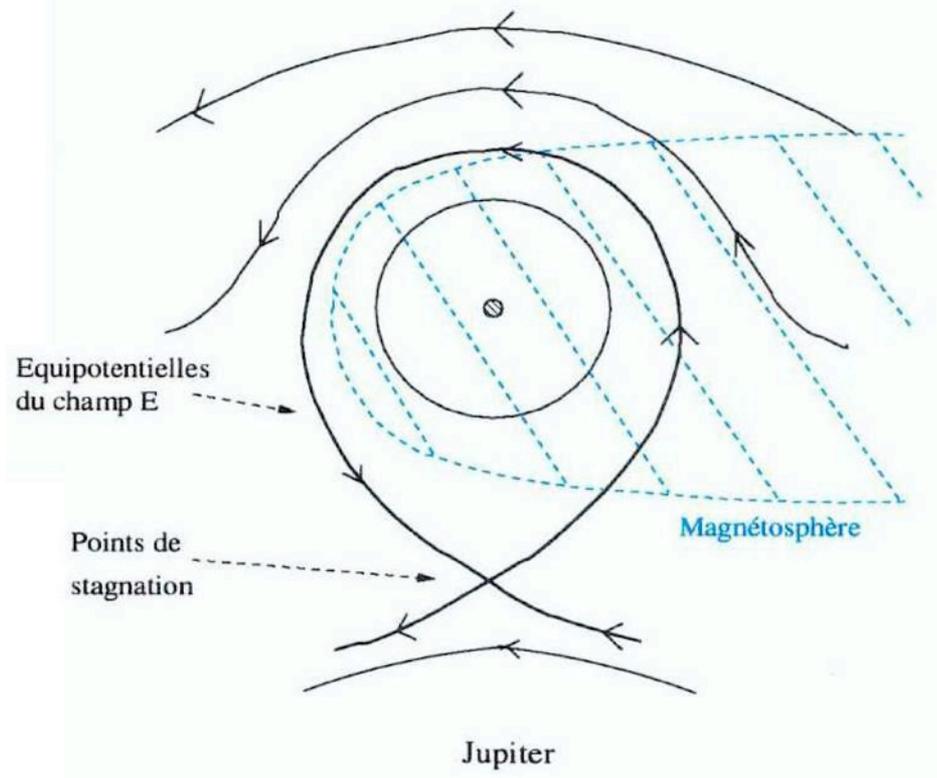
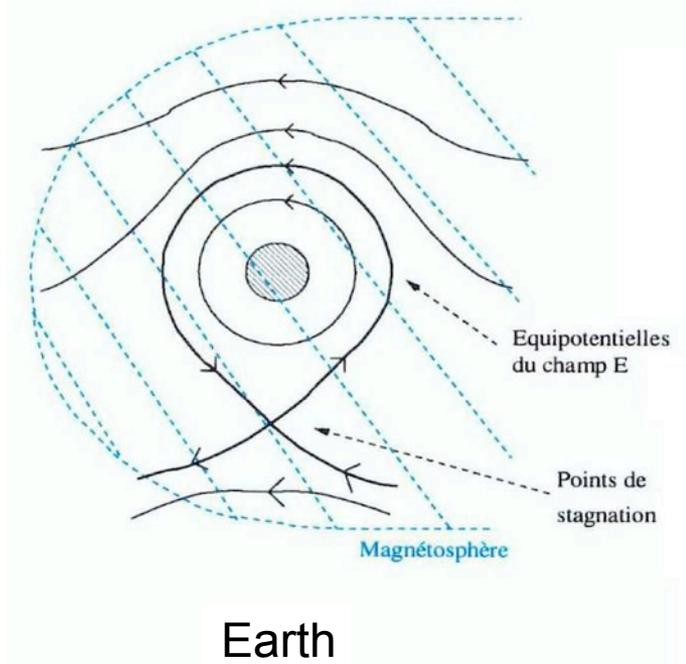
- Global circulation = Convection + Corotation

Equipotentials = flow lines

Stagnation point at LT = 18 h

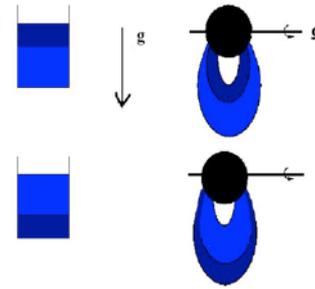
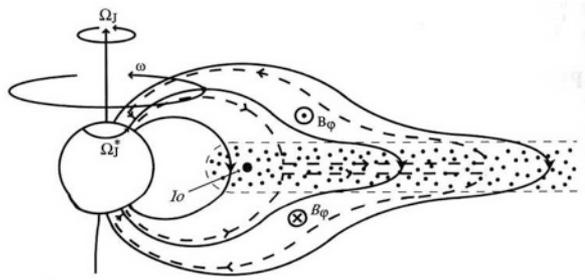


• Plasma Circulation



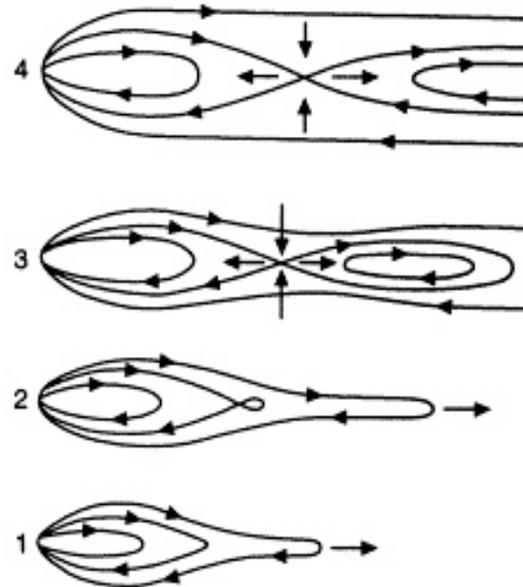
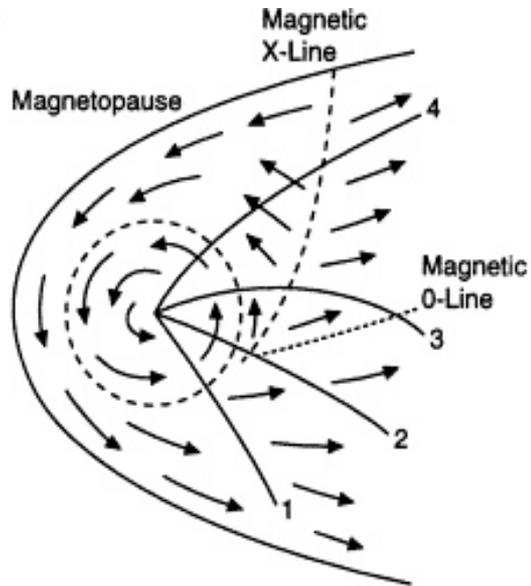
• Plasma Circulation

- Jupiter : outward radial transport (centrifugal interchange instability)



[André, 2006]

⇒ Vasylunas cycle ~ rotation driven Dungey cycle



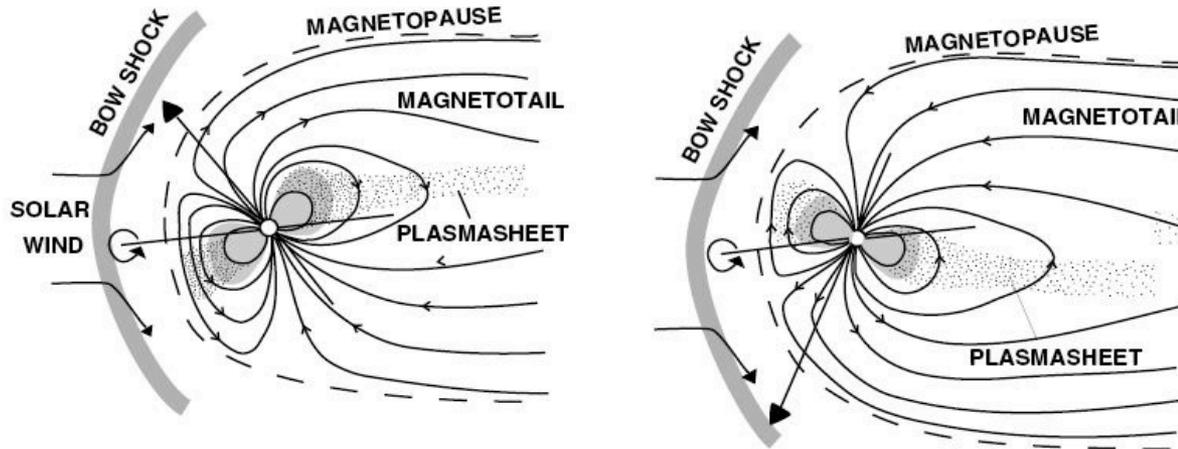
[Vasyliunas, 1983]

- Saturn : intermediate Earth - Jupiter ?

• Plasma Circulation

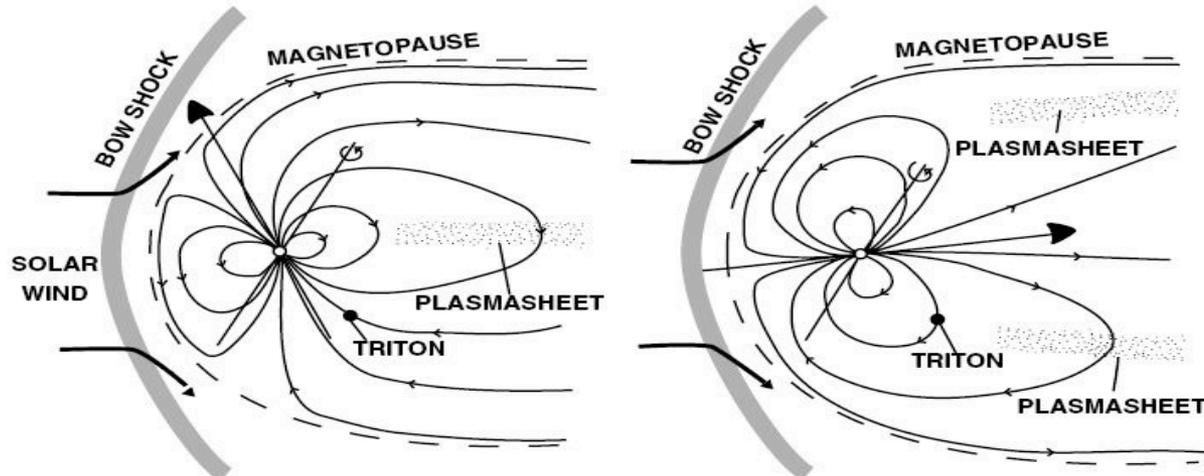
- Uranus : convection \perp corotation \Rightarrow helicoidal plasma trajectories ?

URANUS



- Neptune : Magnetosphere alternately Earth-like & pole-on
 \Rightarrow no plasmasphere, mid-latitude aurorae

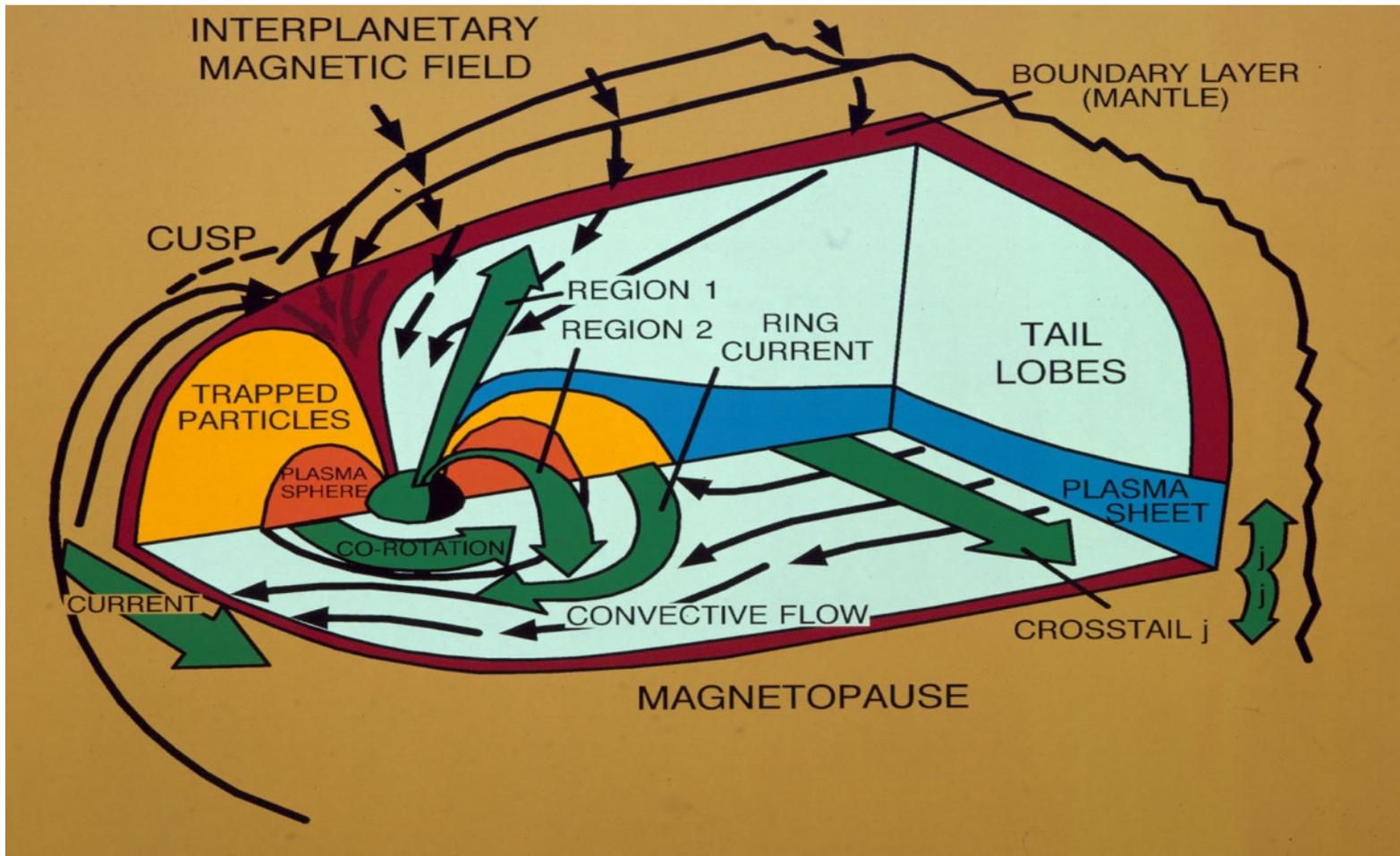
NEPTUNE



• Currents, Magnetosphere - Ionosphere coupling

$$\frac{\partial N_i}{\partial t} + \nabla \cdot N_i V_i = Q_i - L_i \Rightarrow \nabla \cdot J = 0$$

⇒ closed current circuits, M-I coupling (region 2)



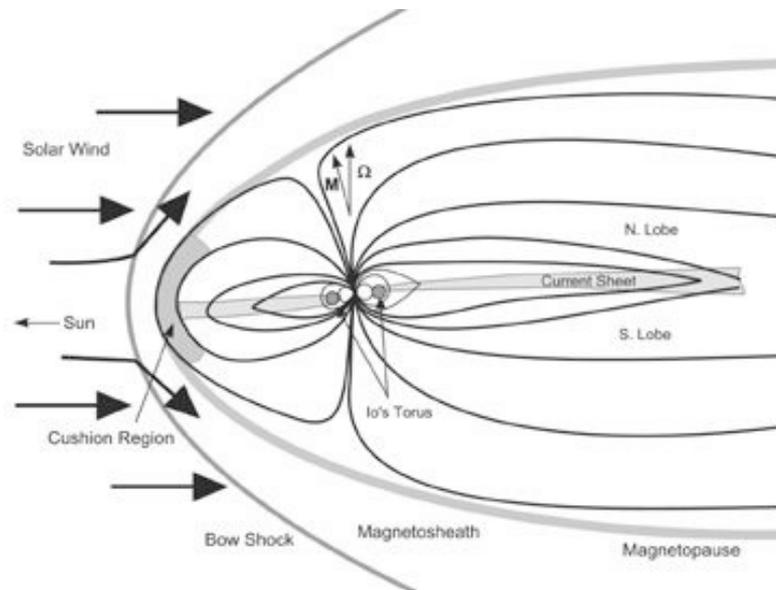
- **Currents, Magnetosphere - Ionosphere coupling**

- Plasma sources vs Synchronous orbit (where $F_{\text{centrifugal}} = F_{\text{gravitation}}$)

Planet	R_p [km]	Ω [rads/s]	G_{surf} [ms^{-2}]	$R_{\text{synch}}/R_{\text{planet}}$	Plasma sources
Mercury	2440	1.24×10^{-6}	3.3	96	None
Earth	6371	7.29×10^{-5}	9.8	6.6	Ionosphere
Jupiter	70000	1.77×10^{-4}	25.6	2.3	Io
Saturn	60000	1.71×10^{-4}	10.8	1.8	Rings, moons
Uranus	25500	1.01×10^{-4}	8.6	3.2	Moons
Neptune	24830	1.01×10^{-4}	10.1	3.4	Moons

[Russell, 2004]

- At Jupiter : extended current disk



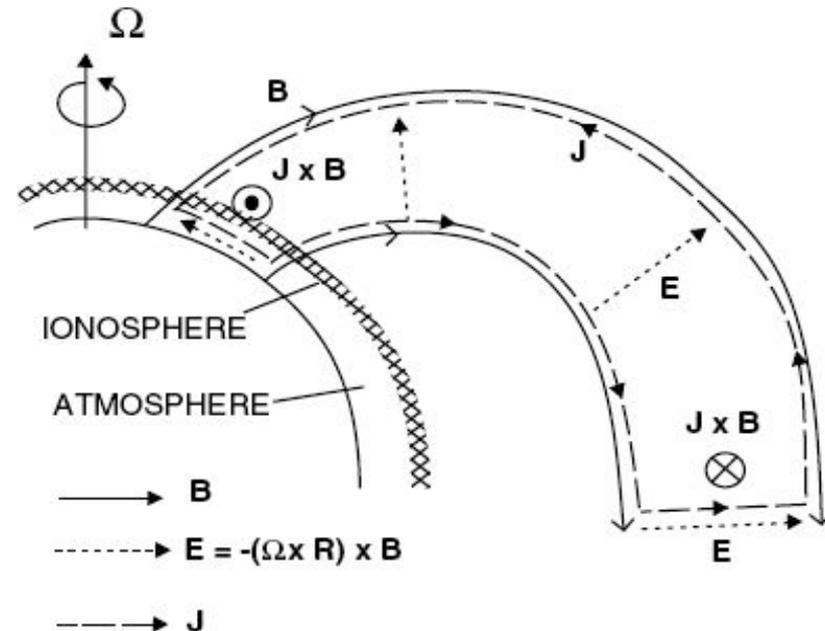
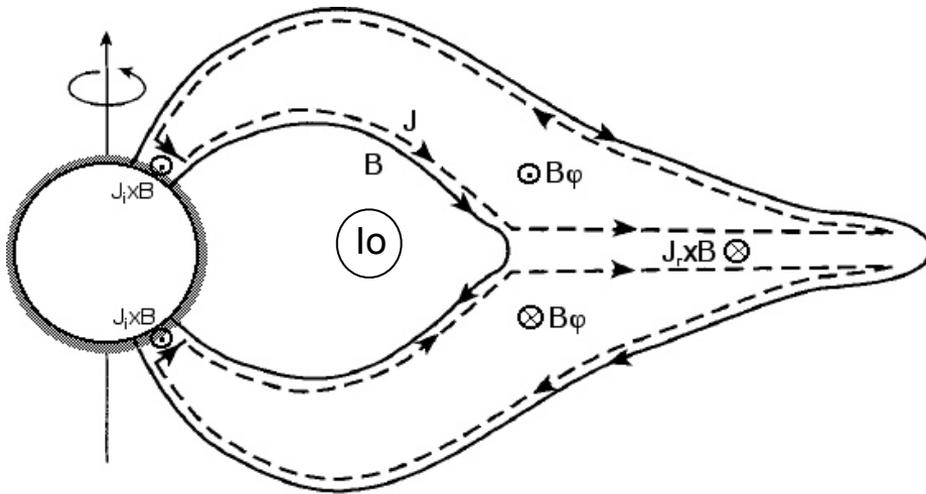
• Currents, Magnetosphere - Ionosphere coupling

- radial diffusion from $I_0 \Rightarrow J_r$

- plasma pick-up + mass-loading, acceleration to corotation by $J_r \times B_{MS}$ at expense of ionospheric plasma momentum via $J_i \times B_i$

$$\nabla \cdot J = 0 \Rightarrow J_i = J_r B_i / B_{MS} \sim 2R^3 J_r \leq \sigma_i E_i \sim \sigma_i \Omega R B_e / R^3 R^{3/2} = \sigma_i \Omega B_e / R^{1/2}$$

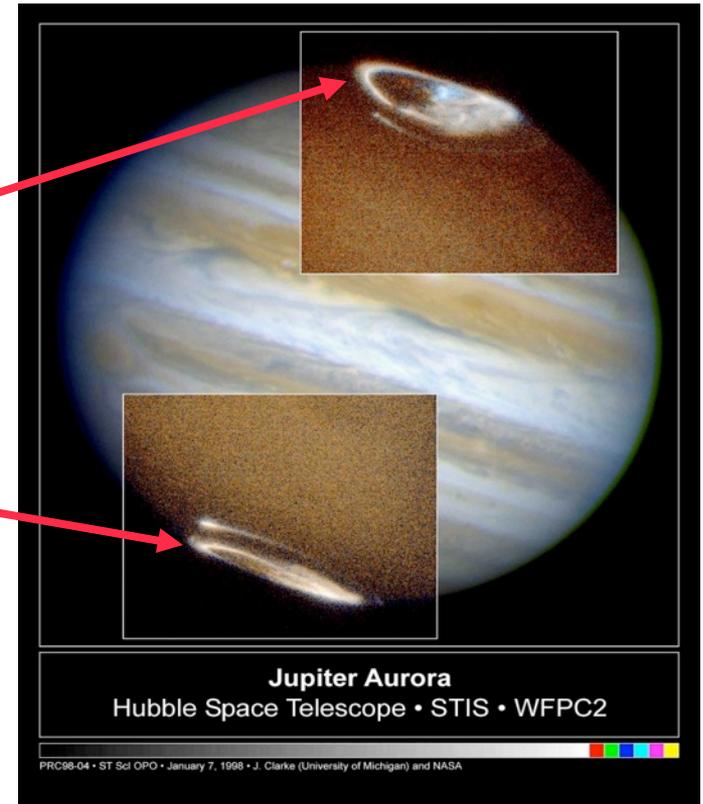
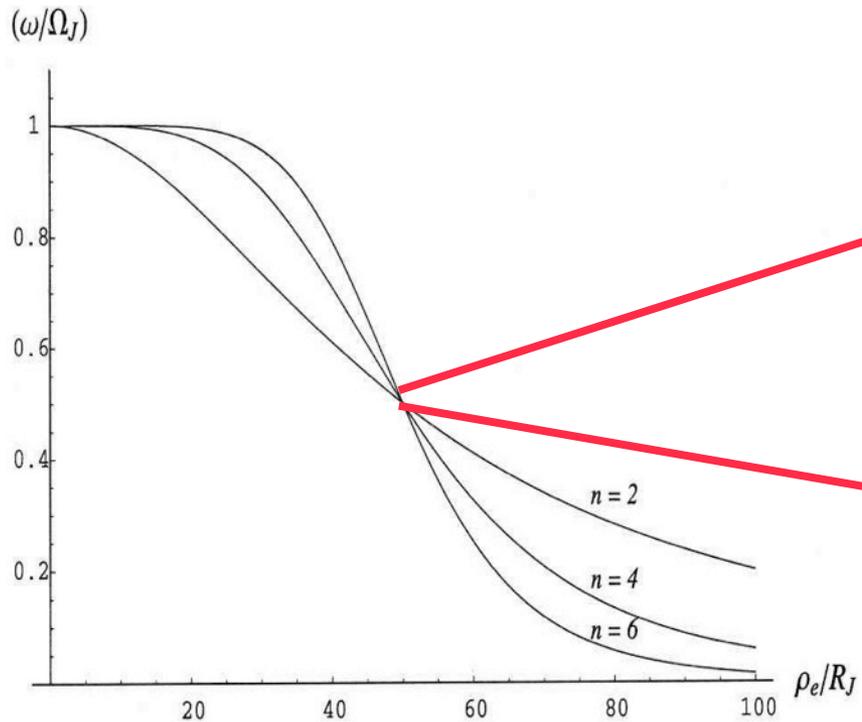
\Rightarrow possible as long as $J_r \leq \sigma_i \Omega B_e / 2R^{7/2}$



- **Currents, Magnetosphere - Ionosphere coupling**

- Corotation breakdown at 20-50 R_J

⇒ $J_{||}$ max ⇒ main auroral oval at Jupiter



[Cowley & Bunce, 2001]

• Magnetosphere-Satellites coupling

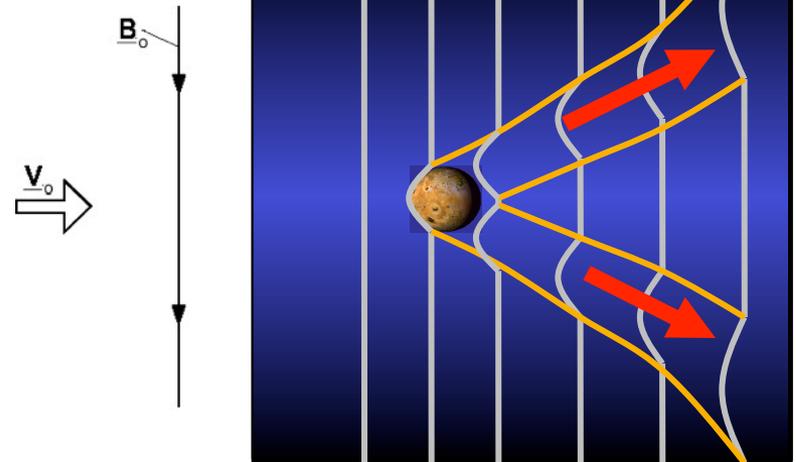
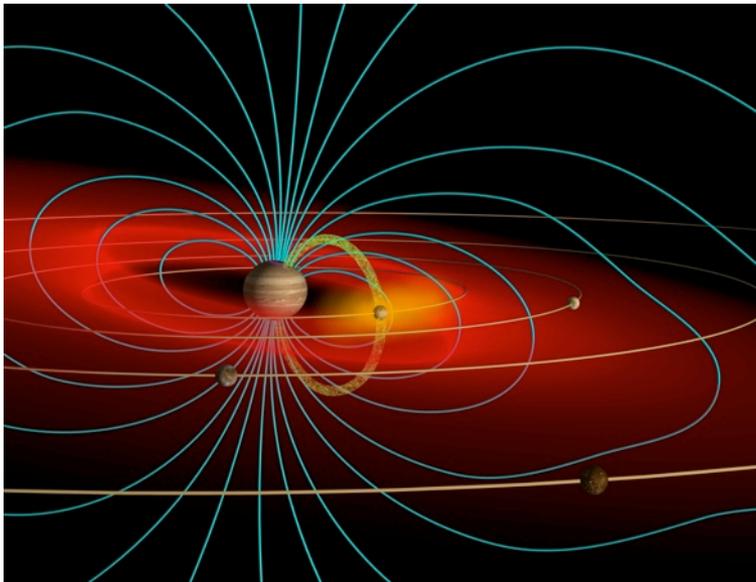
- Unmagnetized satellite / MS interaction [Saur et al., 2004]

$$E = -V \times B_J \quad \text{with} \quad V = V_{\text{corot}} - V_K \quad (=57 \text{ km/s @ } 10)$$

$$\Delta\phi \sim 2 R_{\text{sat}} E \quad (=4 \times 10^5 \text{ V @ } 10) \Rightarrow \text{induced current (a few } 10^6 \text{ A)}$$

$M_A < 1$ (no bow shock) \Rightarrow Alfvén wings / unipolar inductor ?

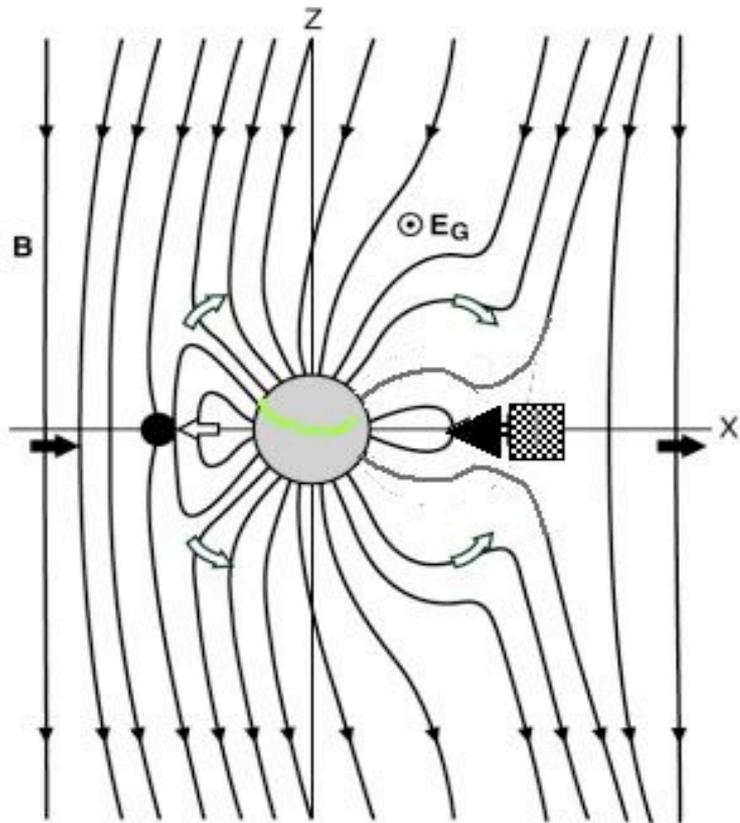
[Goldreich & Lynden-Bell, 1969; Neubauer, 1980]



Flow dominated by magnetic energy, dissipated power : $P_d = \epsilon B_J^2 / \mu_0 V \pi R_{\text{obs}}^2$
 ($\epsilon \sim M_A = 0.1 - 0.2$)

• Magnetosphere-Satellites coupling

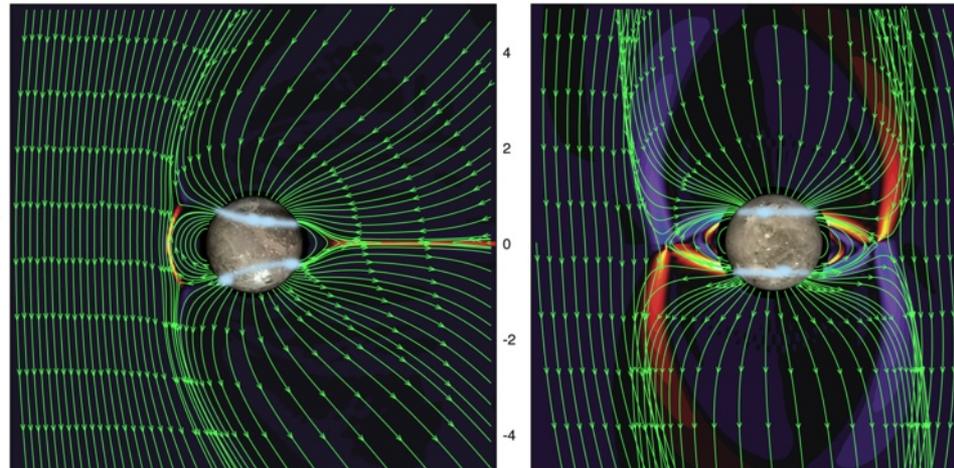
- Magnetized satellite / MS interaction : B reconnection



- ➔ Torus Plasma Flow
- ⇨ Ganymede's Magnetospheric Flow
- Upstream Reconnection Line
- ▣ Downstream Reconnection Line

open-closed boundary

➔ Plasma Flow



Dissipated power :

$$P_d = \epsilon k B_J^2 / \mu_0 V \pi R_{obs}^2$$

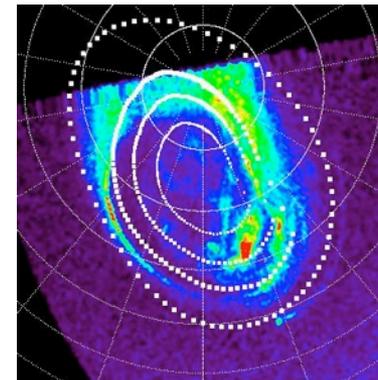
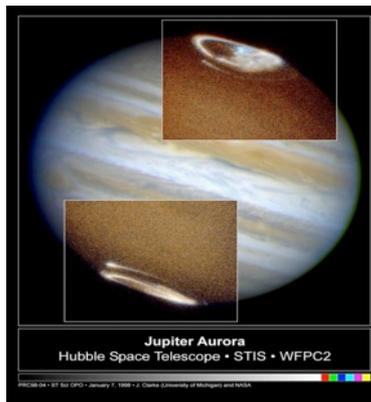
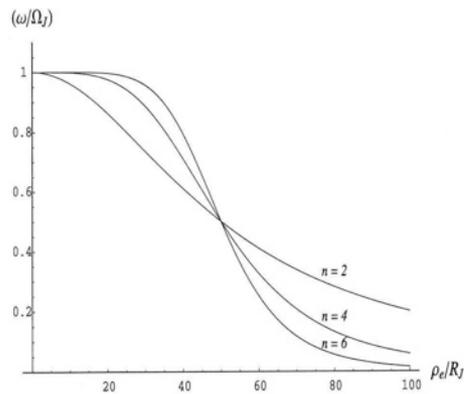
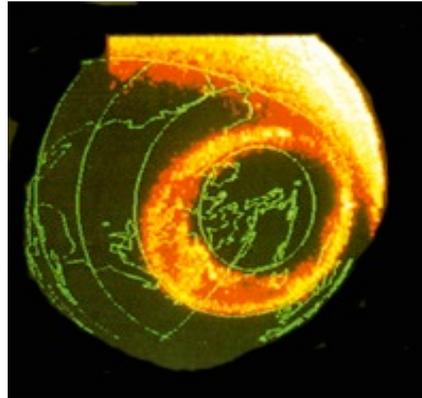
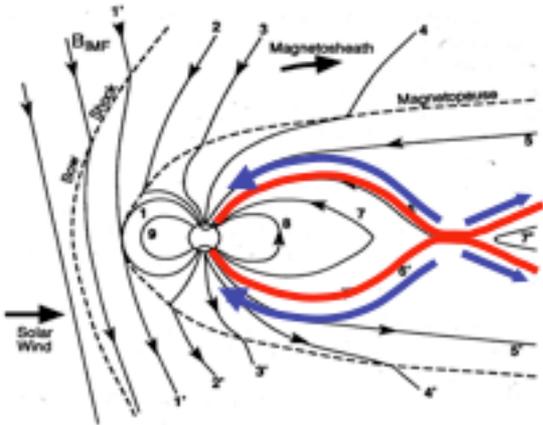
$$(k = \cos^4(\theta/2) = 1 ; \epsilon = 0.1 - 0.2)$$

- Planetary Magnetic Fields
- Magnetospheric structure
- Magnetospheric dynamics
- **Electromagnetic emissions**
- Exoplanets

• Aurorae

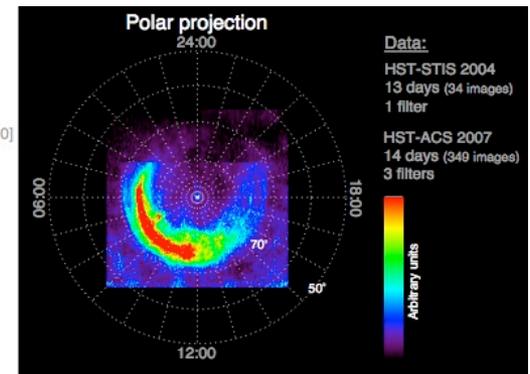
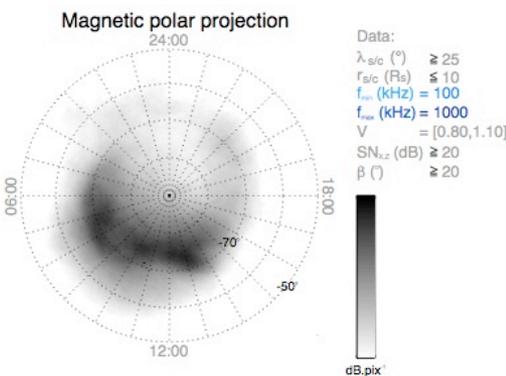
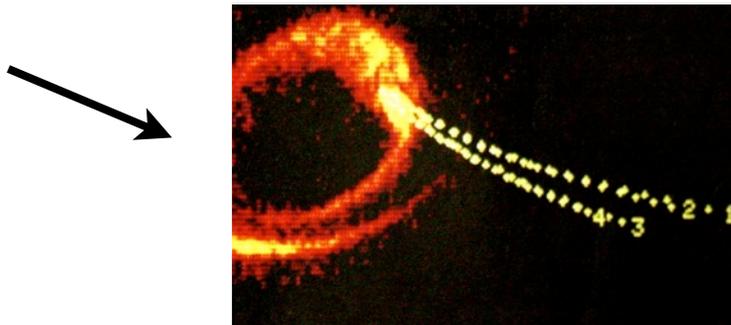
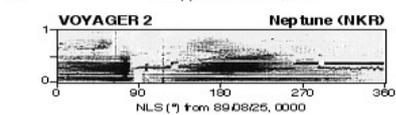
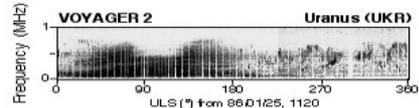
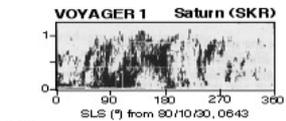
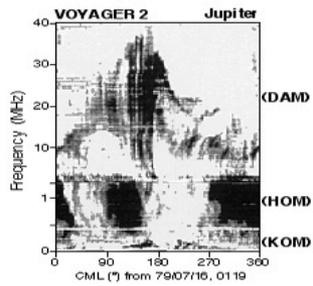
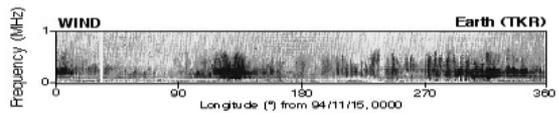
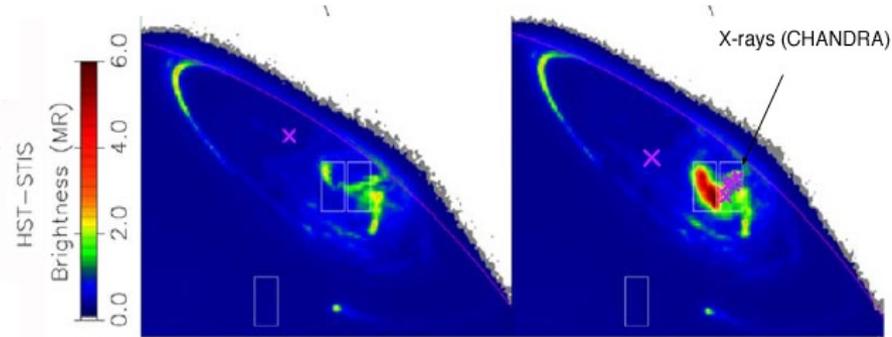
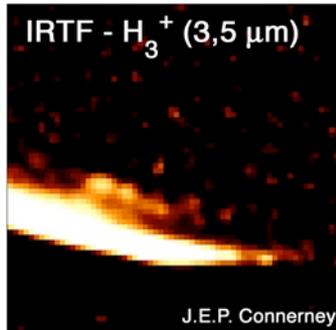
- reconnection at limit open / closed B lines at Earth
- corotation breakdown at Jupiter
- ? at Saturn

⇒ e- acceleration 1-10 keV ⇒ visible (O, N, N₂) & UV (H, H₂) aurorae



• Aurorae

- IR, X and radio counterparts

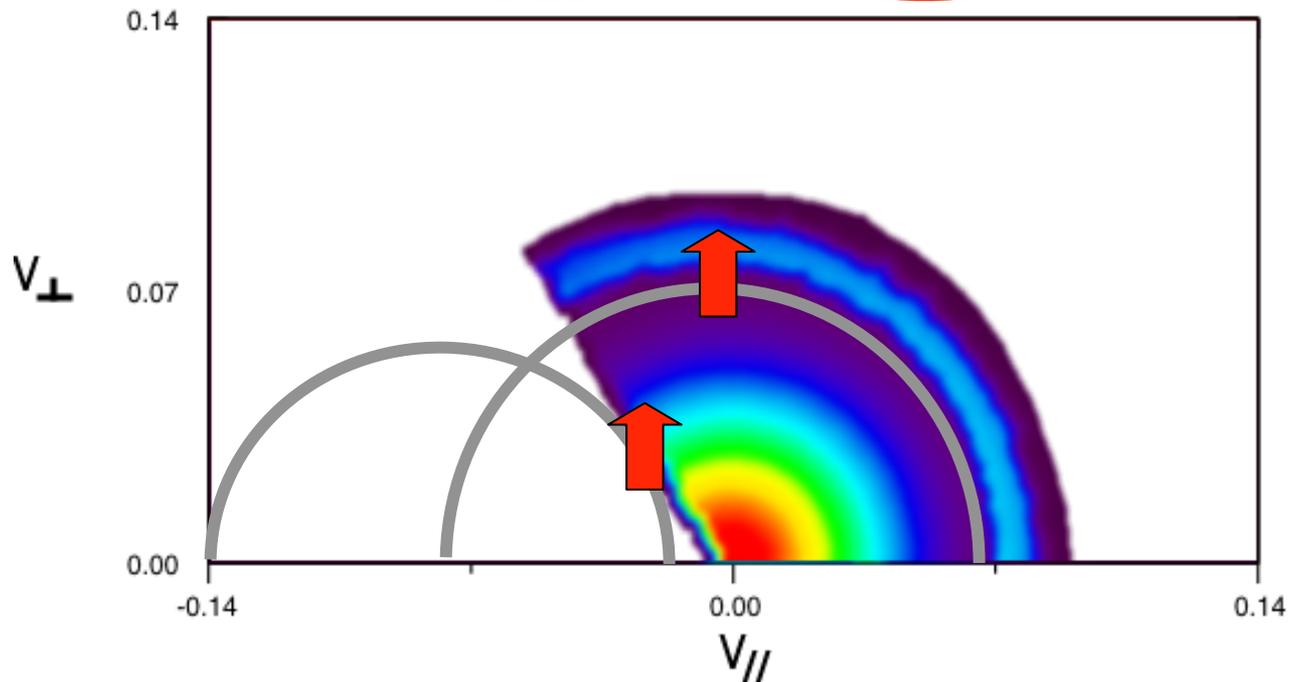


- **Radio emission process** : the Cyclotron Maser Instability

- Emissions intense ($T_B \geq 10^{15-20}$ K), broadband ($f \sim f_{ce}$), 100% elliptical consistent with X mode, very anisotropic (widely open hollow cone)
- Sources where $B, f_{pe} \ll f_{ce}$, unstable keV e^- distributions (high latitude)

Resonance condition : $\omega = \omega_c / \Gamma - k_{\parallel} v_{\parallel}$

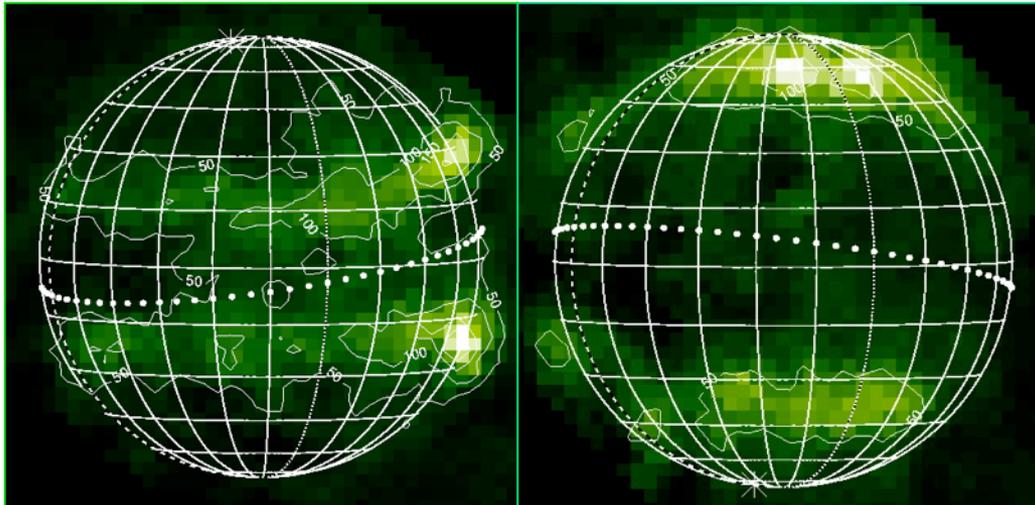
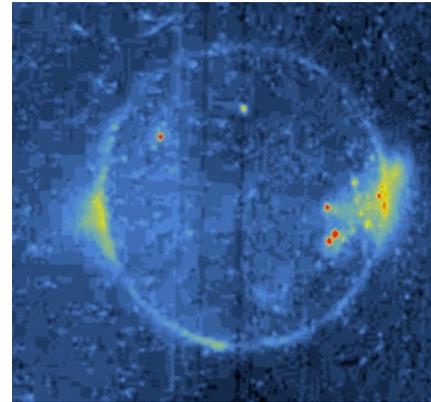
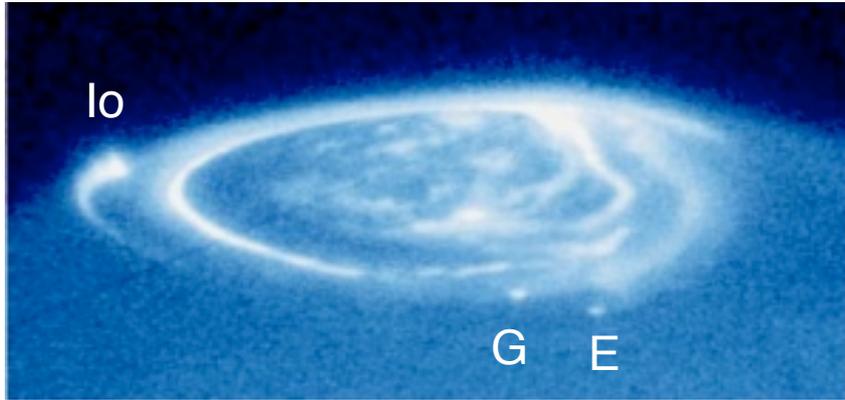
Growth rate : $\gamma = \frac{\omega_p^2}{8\omega_c} \int_0^{2\pi} v_{\perp}^2(\theta) \nabla_{v_{\perp}} f(\mathbf{v}_0, \mathbf{R}(\theta)) d\theta$



- **Satellite-induced emissions)**

- strong currents + low plasma density *[Knight, 1972]*

⇒ e- acceleration 1-10 keV ⇒ auroral-like emissions

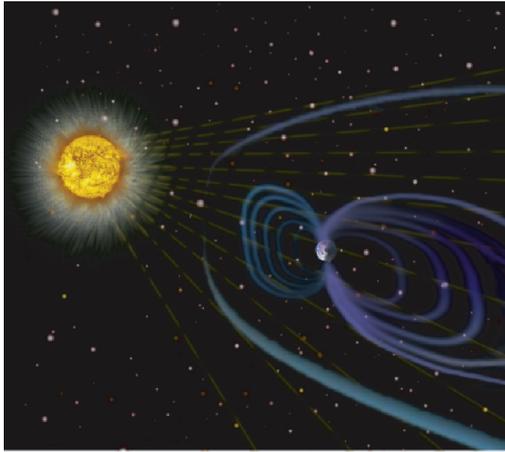


Downstream / Upstream

[Feldman et al., 2000 ; McGrath et al., 2002]

- Planetary Magnetic Fields
- Magnetospheric structure
- Magnetospheric dynamics
- Electromagnetic emissions
- Exoplanets

- **Types of interaction** : Magnetospheric interaction

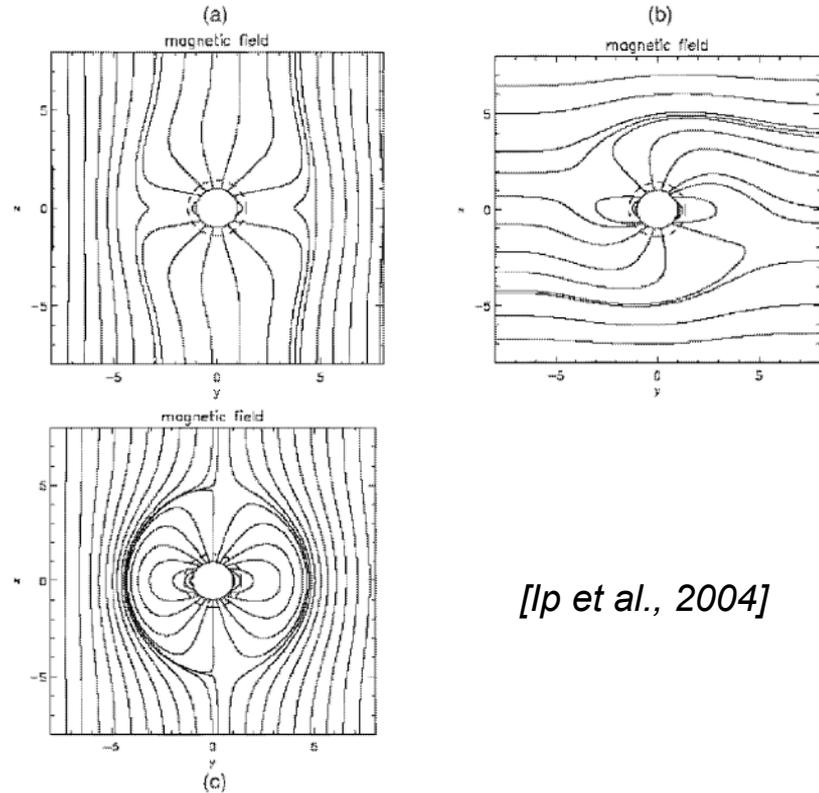
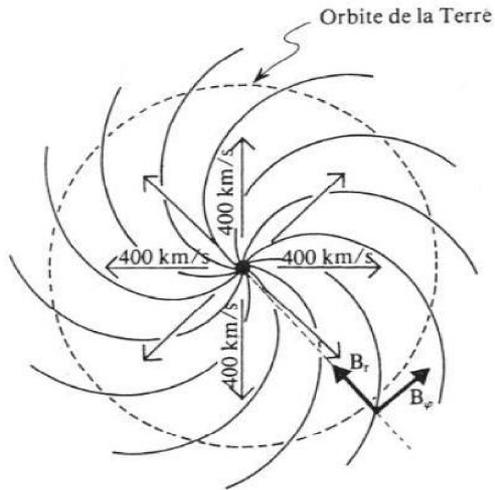


Poynting flux of B_{IMF} on obstacle :

$$P_m = B_{\perp}^2 / \mu_0 V \pi R_{obs}^2$$

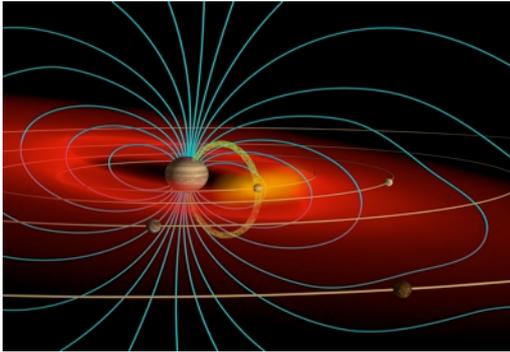
Dissipated power :

$$P_d = \epsilon P_m \quad (\epsilon = 0.1 - 0.2)$$

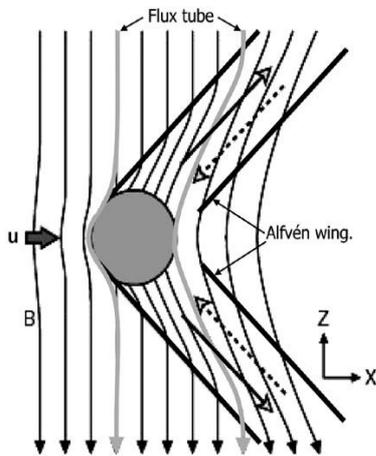
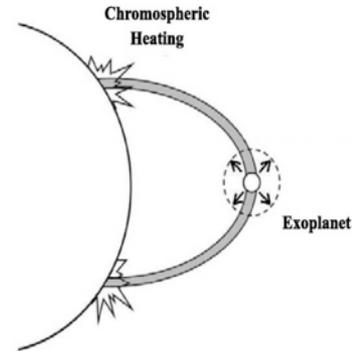
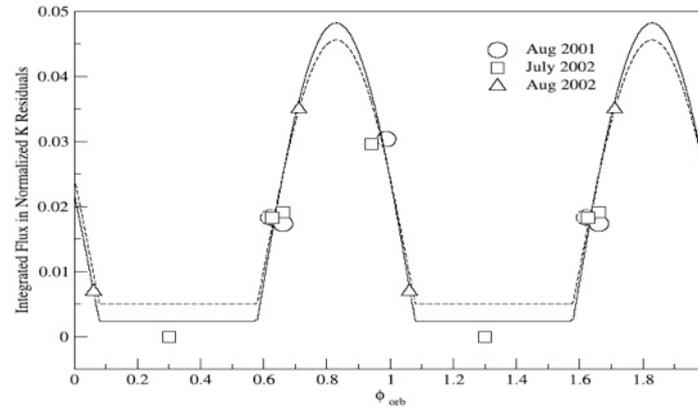


[Ip et al., 2004]

- Types of interaction : Unipolar inductor



Chromospheric hot spot on HD179949 & u And ?

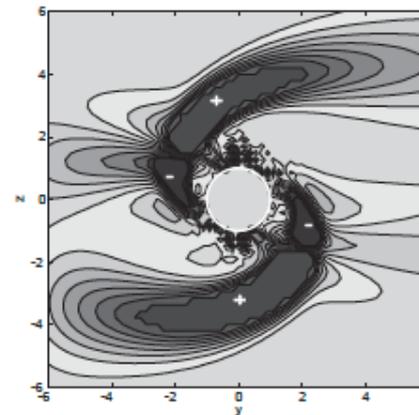


[Shkolnik et al., 2005, 2008]

Dissipated power :

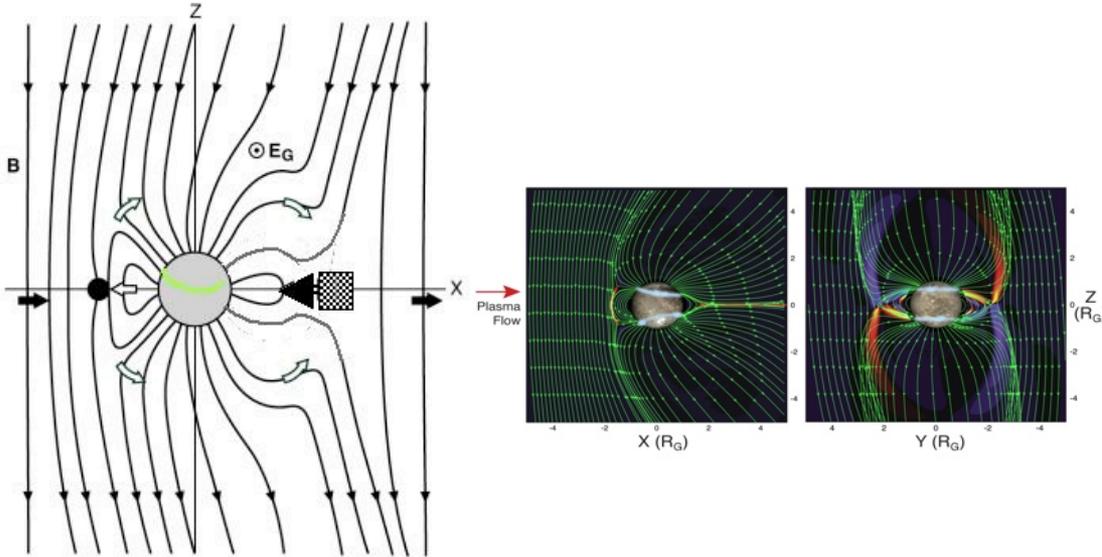
$$P_d = \epsilon V B_{\perp}^2 / \mu_0 \pi R_{obs}^2 = \epsilon P_m$$

$$(\epsilon \sim M_A = 0.1 - 0.2)$$

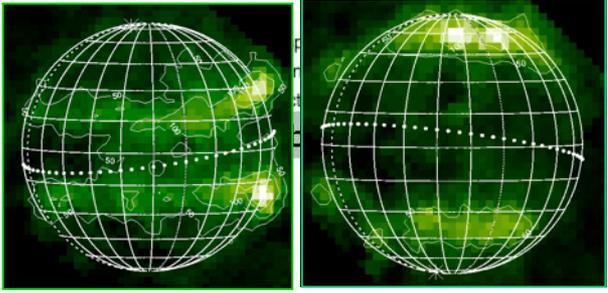
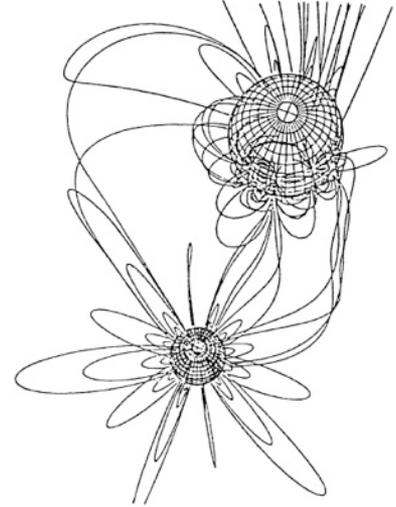


[Preusse et al., 2006]

• **Types of interaction** : Dipolar interaction



Interacting magnetic binaries or star-planet systems



Downstream Upstream



Dissipated power :

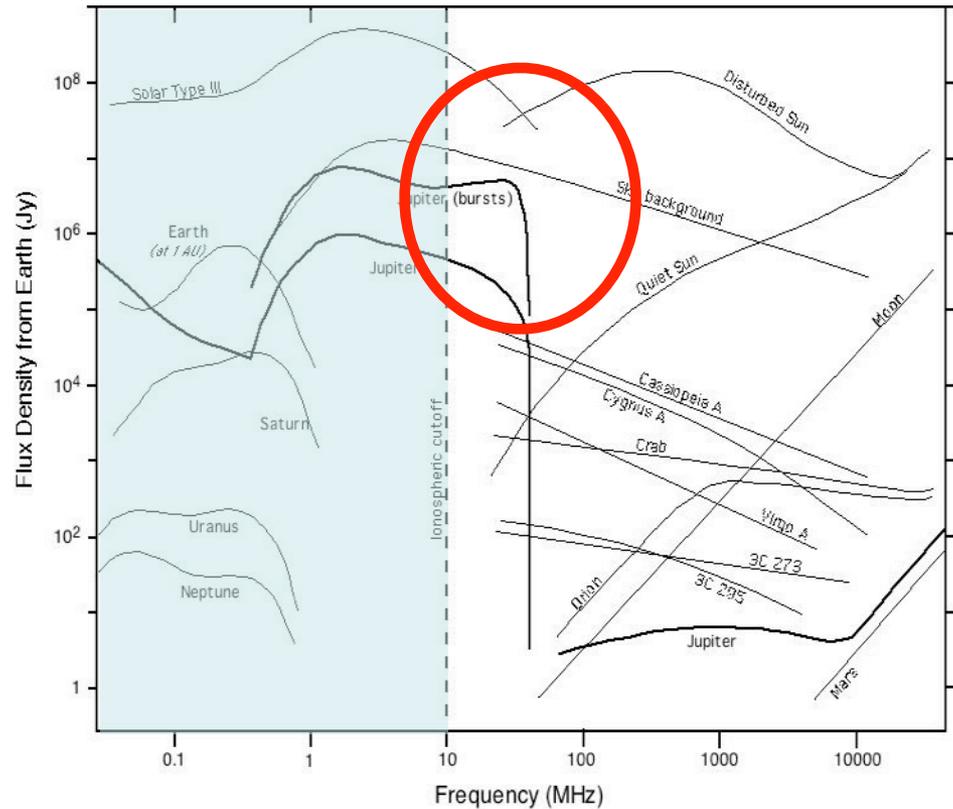
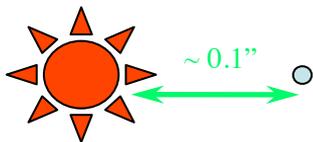
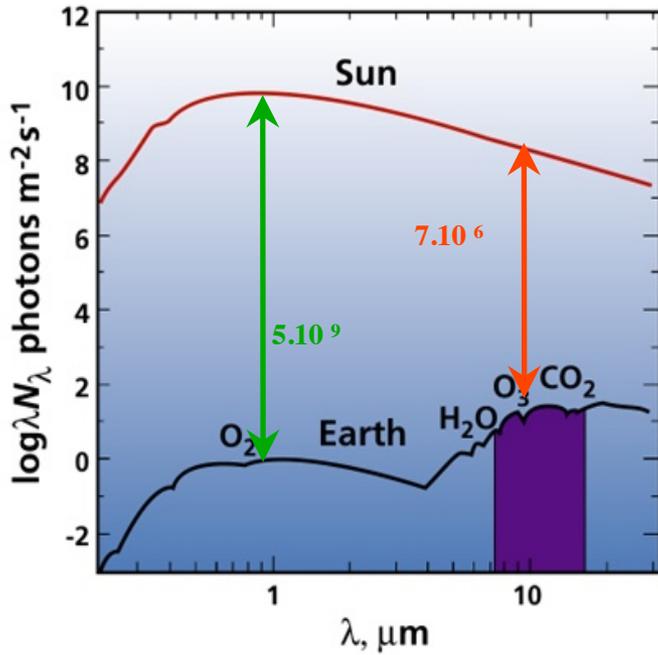
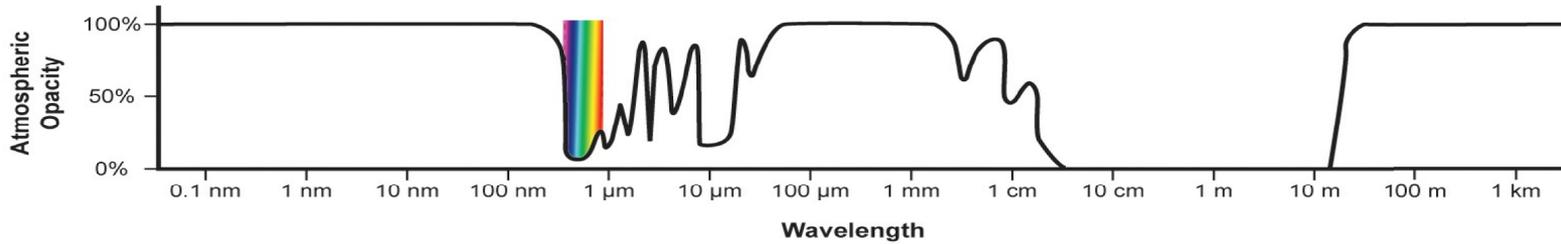
$$P_d = \epsilon k V B_{\perp}^2 / \mu_0 \pi R_{obs}^2 = \epsilon k P_m$$

$$(k = \cos^4(\theta/2) = 1 ; \epsilon = 0.1 - 0.2)$$

• Electromagnetic emissions

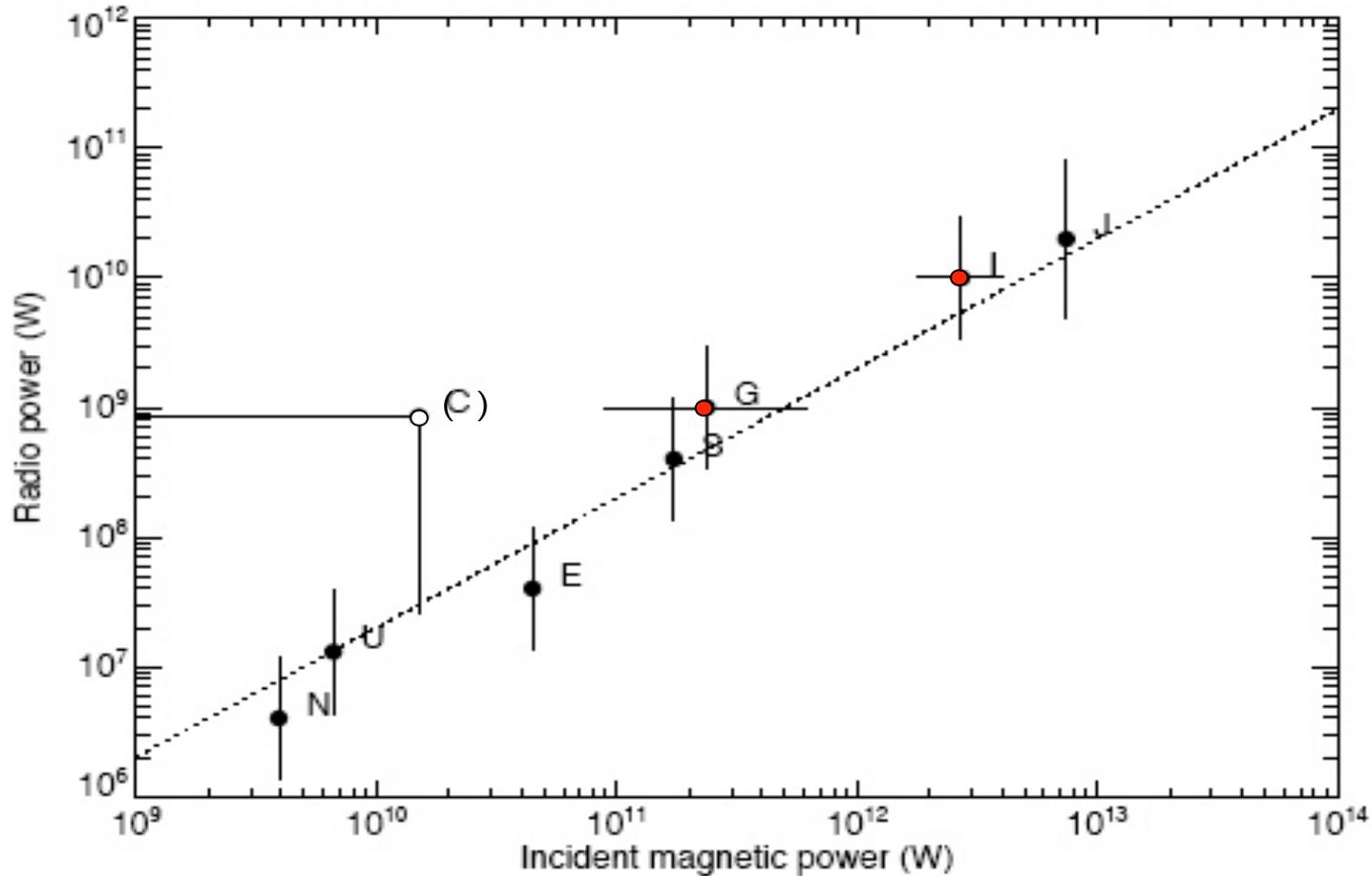
UV ?

Radio ?

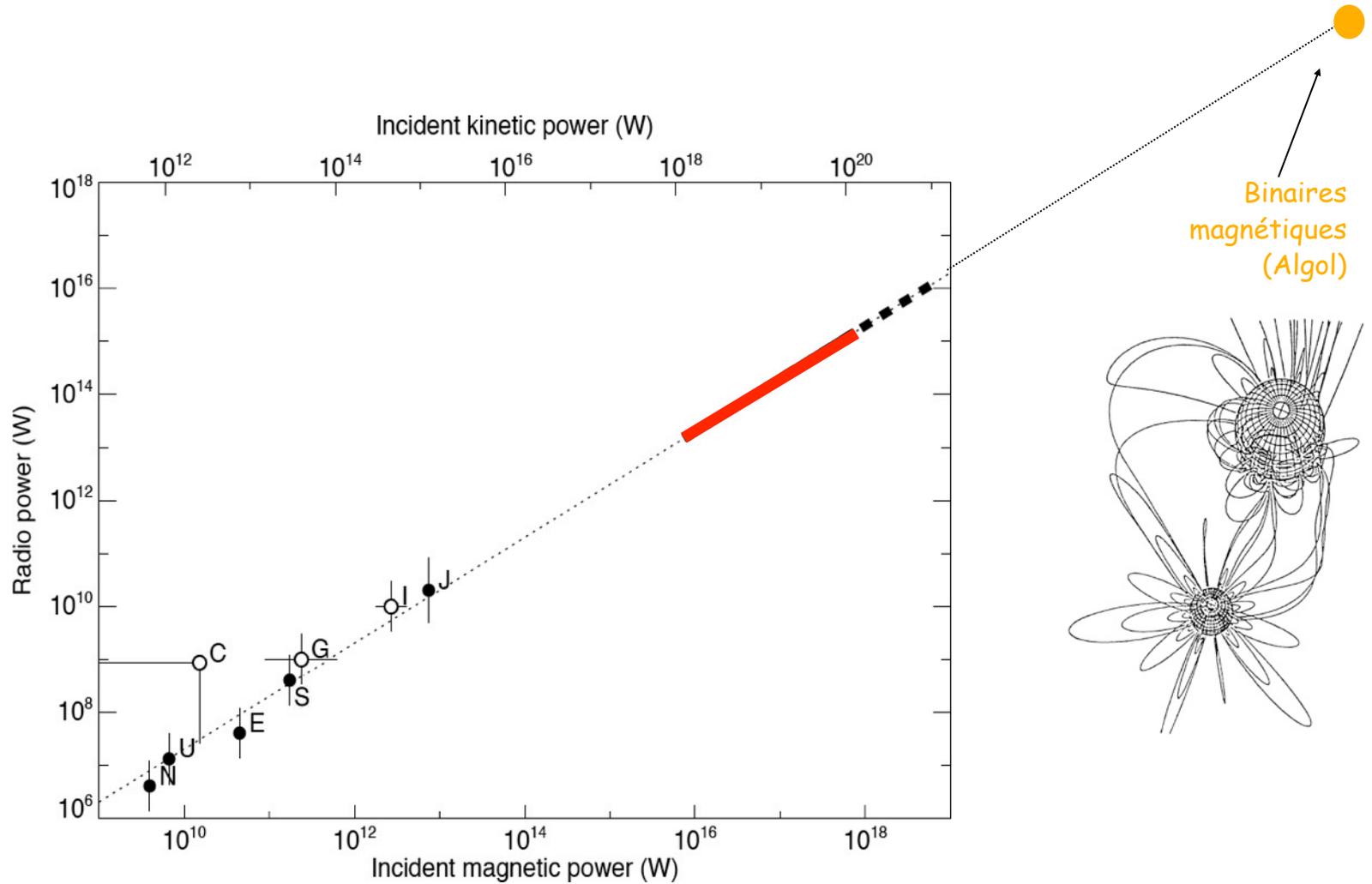


- **Electromagnetic emissions** : Radio-Magnetic Bode's law

∇ radio emission $P_{\text{Radio}} \sim \eta \times P_m$ with $\eta \sim 2-10 \times 10^{-3}$



- **Electromagnetic emissions : Radio-Magnetic Bode's law**



Hot Jupiters $\Rightarrow P_{\text{Radio}} = P_{\text{Radio-J}} \times 10^{3-5}$ (except if saturation or magnetic field decay)

• Magnetic field decay for hot Jupiters ?

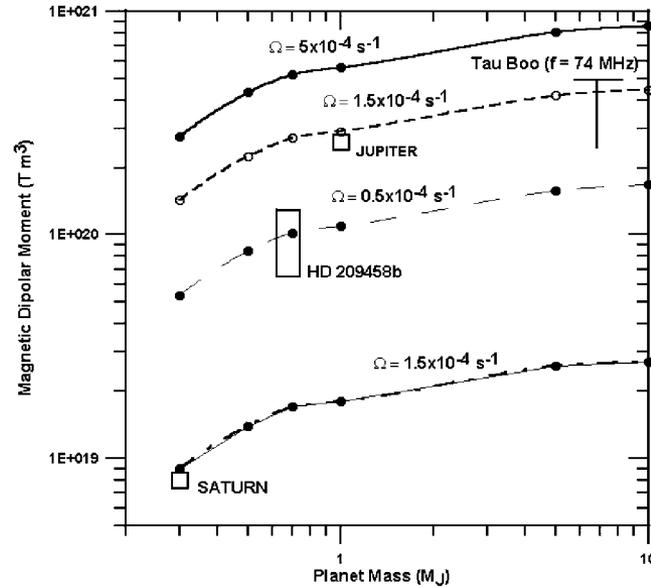
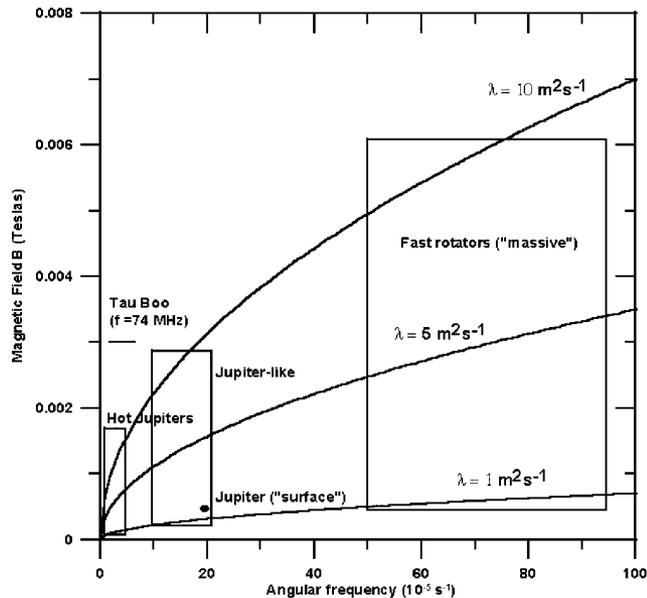
- Spin-orbit synchronisation (tidal forces) $\Rightarrow \omega \downarrow$

but $M \propto \omega^\alpha$ with $\frac{1}{2} \leq \alpha \leq 1 \Rightarrow M \downarrow$ (B decay) ?

- Internal structure + convection models

\Rightarrow self-sustained dynamo

\Rightarrow **M could remain \geq a few $G.R_J^3$**



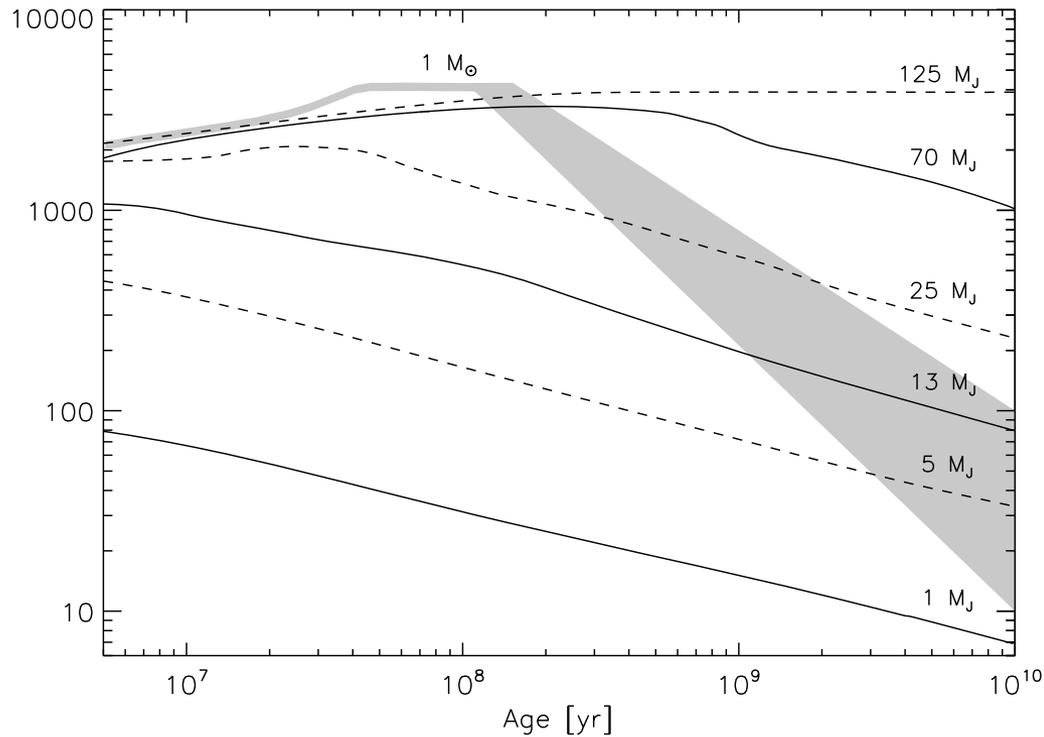
UPPER LIMIT OF MAGNETIC FIELDS IN HOT JUPITERS

Planet	M (M_J)	P_{orb} (days)	R (R_J)	M_D ($G m^3$)	B_s (G)
HD 179949b ^a	0.84	3.093	1.3	1.1×10^{24}	1.4
HD 209458b	0.69	3.52	1.43	0.8×10^{24}	0.8
τ Boo b ^a	3.87	3.31	1.3	1.6×10^{24}	2
OGLE-TR-56b	0.9	1.2	1.3	2.2×10^{24}	2.8

[Sanchez-Lavega, 2004]

• Magnetic field decay for hot Jupiters ?

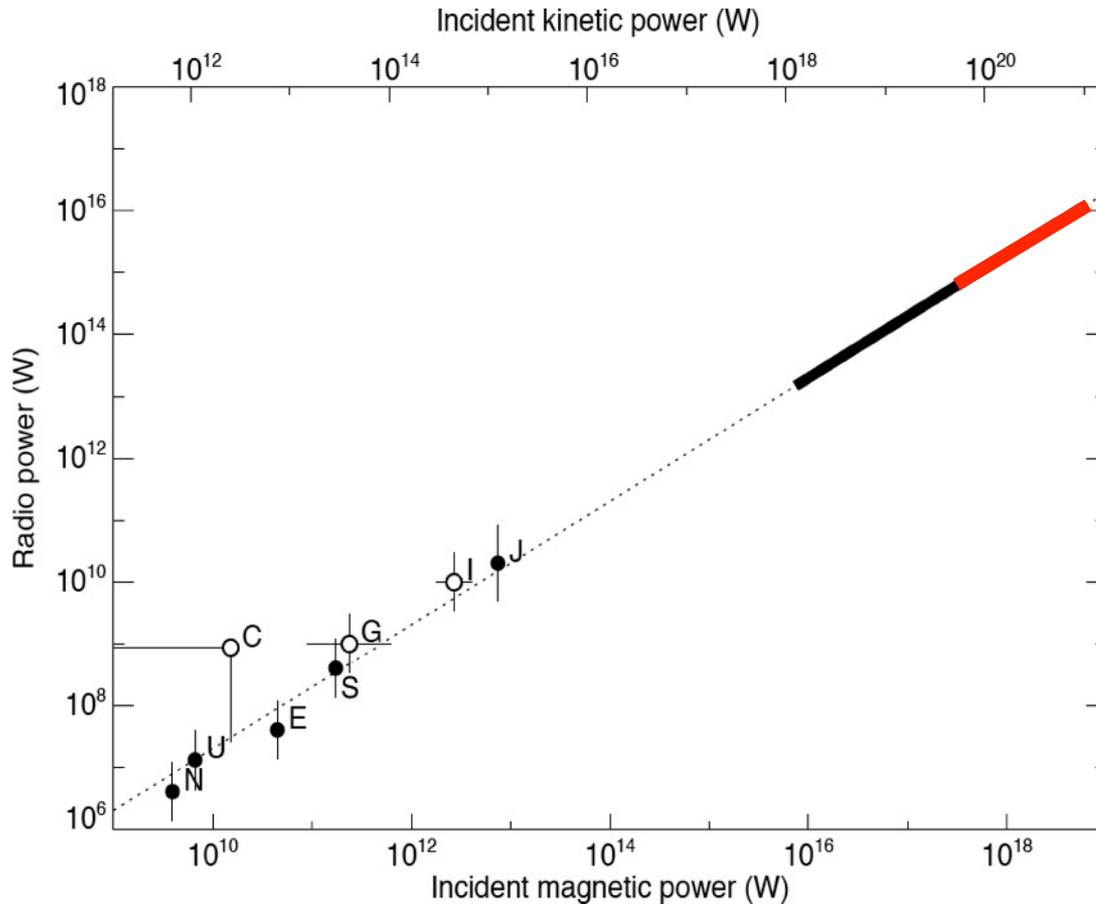
- Scaling for fast rotators



Planet name	Planet mass [$M_{\text{Jup}} \sin i$]	a [AU]	d^l [pc]	\dot{M} [\dot{M}_{\odot}]	Age [Gyr]	$B_{\text{dip}}^{\text{pol}}$ [G]
Jupiter	1.00	5.20		1.0	4.5	9
eps Eridani b	1.55	3.39	3.2	25.9	1.7	19
Gliese 876 b	1.93	0.21	4.7	0.1	2.4	23
Gliese 876 c	0.56	0.13	4.7	0.1	2.4	6
GJ 832 b	0.64	3.40	4.9	0.2	2.0	7
HD 62509 b	2.90	1.69	10.3	0.3	5.6	24
GI 86 b	4.01	0.11	11.0	9.4	2.9	40
HD 147513 b	1.00	1.26	12.9	150.4	0.8	15
ups And b	0.69	0.06	13.5	20.2	1.4	10
ups And c	1.98	0.83	13.5	20.2	1.4	30
ups And d	3.95	2.51	13.5	20.2	1.4	58
gamma Cephei b	1.60	2.04	13.8	1.1	3.6	16
51 Peg b	0.47	0.05	14.7	0.2	6.2	3
tau Boo b	3.90	0.05	15.0	198.5	0.8	58
HR 810 b	1.94	0.91	15.5	103.9	0.8	30
HD 128311 b	2.18	1.10	16.6	39.9	0.9	33
HD 128311 c	3.21	1.76	16.6	39.9	0.9	48
HD 10647 b	0.91	2.10	17.3	22.9	1.4	14
GJ 3021 b	3.32	0.49	17.6	170.2	0.8	49
HD 27442 b	1.28	1.18	18.1	1.9	2.7	14
HD 87883 b	1.78	3.60	18.1	2.6	3.3	19
HD 189733 b	1.13	0.03	19.3	17.3	1.7	14
HD 192263 b	0.72	0.15	19.9	7.1	2.5	8

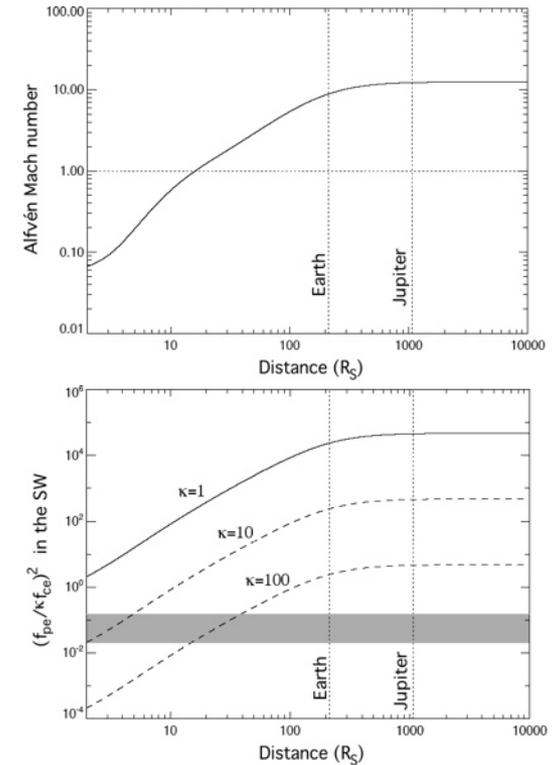
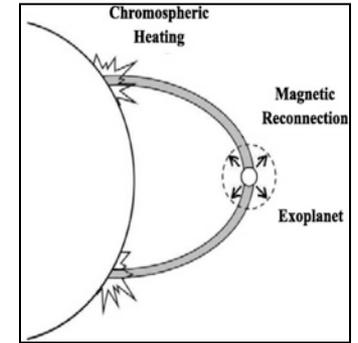
[Reiners & Christensen, 2010]

• Electromagnetic emissions



Emission radio possible only if $f_{pe}/f_{ce} \ll 1$
 \Rightarrow intense B^* required ($10-100 \times B_{Sun}$)
 \Rightarrow emission $\geq 30-250$ MHz at $1-2 R_S$

$$P_{Radio} = P_J \times 10^5 \times (R_{exo-ionosphere}/R_{magnetosphere})^2 \times (B^*/B_{Sun})^2 = P_{Radio-J} \times 10^6$$



[Zarka et al., 2001, 2007]

• Prospects for radio detection

- measurement of $B \Rightarrow$ constraints on internal structure
- measurement of $P_{\text{rot}} \Rightarrow$ test spin-orbit synchronization
- possible access to inclination [Hess & Zarka, 2011]
- comparative magnetospheric physics, planet-star plasma interactions
- implications for exobiology (magnetosphere limits atmospheric erosion by SW and CME, cosmic ray bombardment) [Griessmeier et al., 2004 ; Khodachenko et al., 2006]

\Rightarrow LOFAR, UTR-2, GMRT, VLA
observations ongoing ...

